

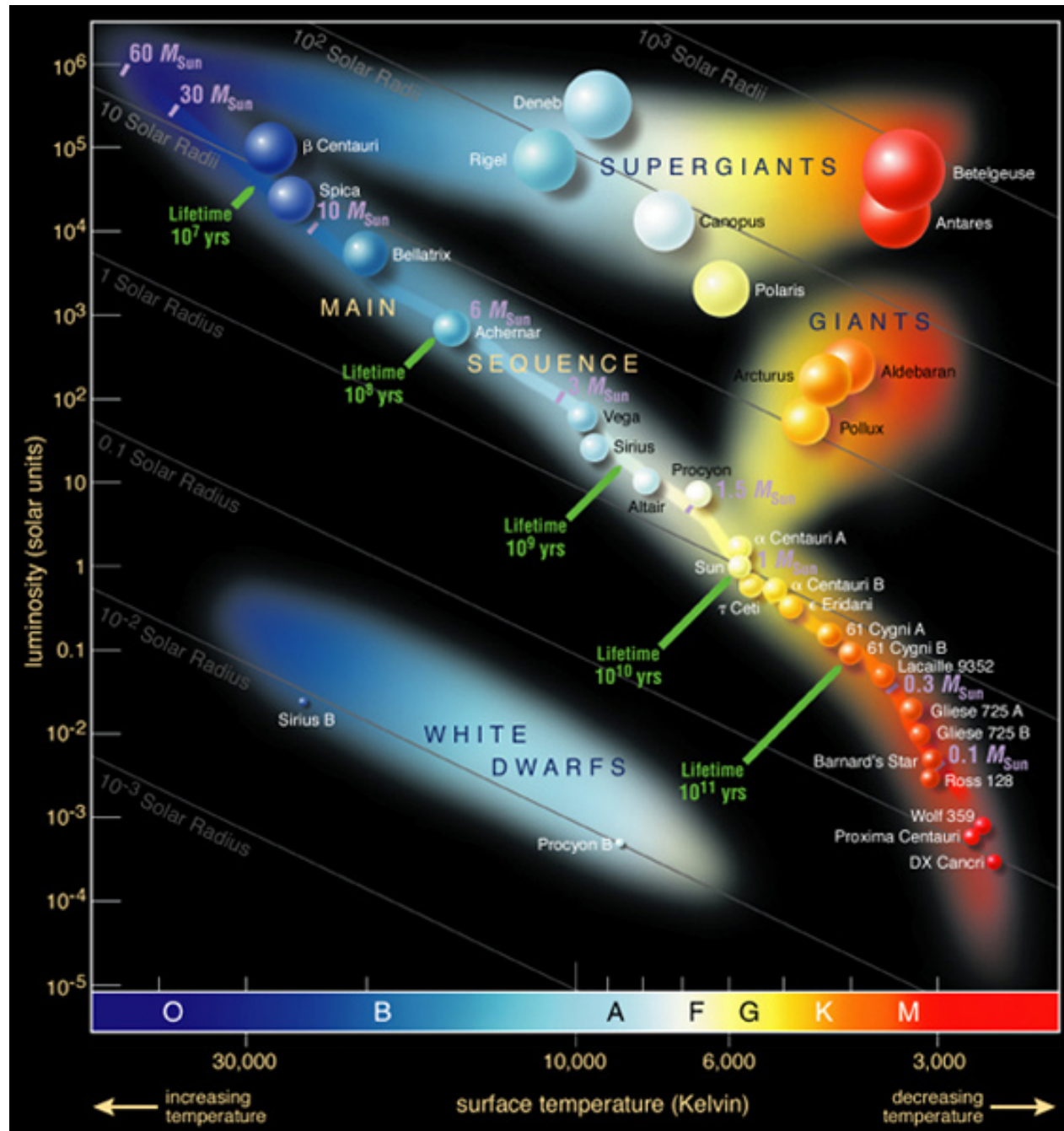
Stellar Populations

Karina Caputi

*Physics of Galaxies 2019-2020 Q4
Rijksuniversiteit Groningen*

Stellar evolution as key for galaxy evolution

Galaxy evolution is the integrated consequence of stellar evolution



For a single star, the evolution depends on its initial mass

The evolution of a galaxy depends on the initial mass distribution of all its stars

initial mass function (IMF)

Stellar properties

Three main physical properties define a star:

$$R \sim R_{\odot} \left(\frac{\mathcal{M}}{\mathcal{M}_{\odot}} \right)^{0.7}$$

- Effective Temperature T_{eff} $L \equiv 4\pi R^2 \sigma T_{\text{eff}}^4$

The continuum of a star is a black-body curve, with $T \sim T_{\text{eff}}$

$$\lambda_{\text{max}} = [2.9/T \text{ (K)}] \text{ mm}$$

- Surface Gravity $\log g$ pressure of stellar photosphere
ionisation balance, pressure broadening, molecular abundance $g = G M / R^2$

- Metallicity Z or $[\text{Fe}/\text{H}]$ or chemical composition, elements heavier than He

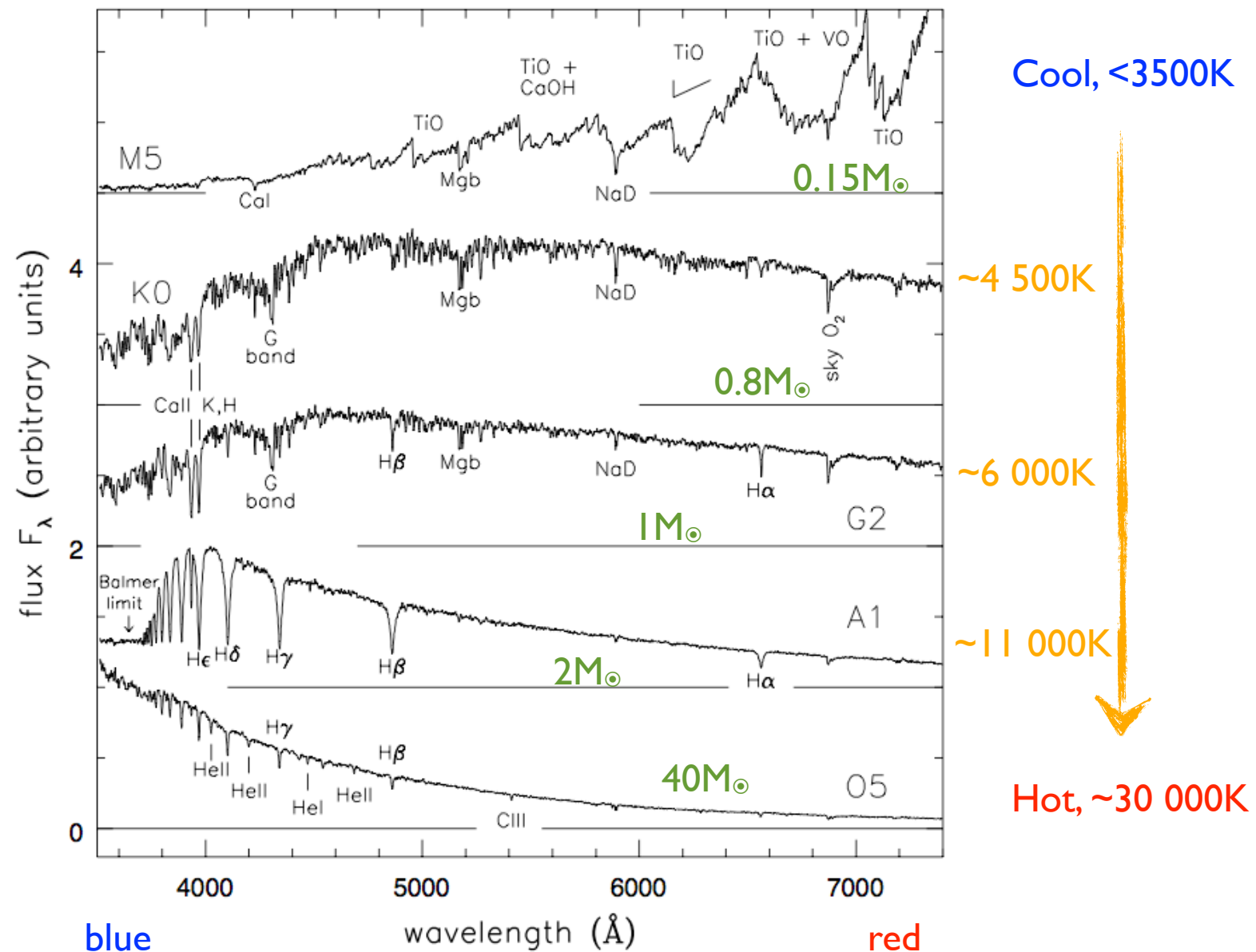
$$[A/B] \equiv \log_{10} \left\{ \frac{(\text{number of A atoms/number of B atoms})_{\star}}{(\text{number of A atoms/number of B atoms})_{\odot}} \right\}$$

individual elements cause absorption lines where atoms intercept light from the centre of the star

a star with $[\text{Fe}/\text{H}] = -2$ has 1% as much Fe as the Sun

Spectral variation versus T_{eff}

Temperature (T_{eff})

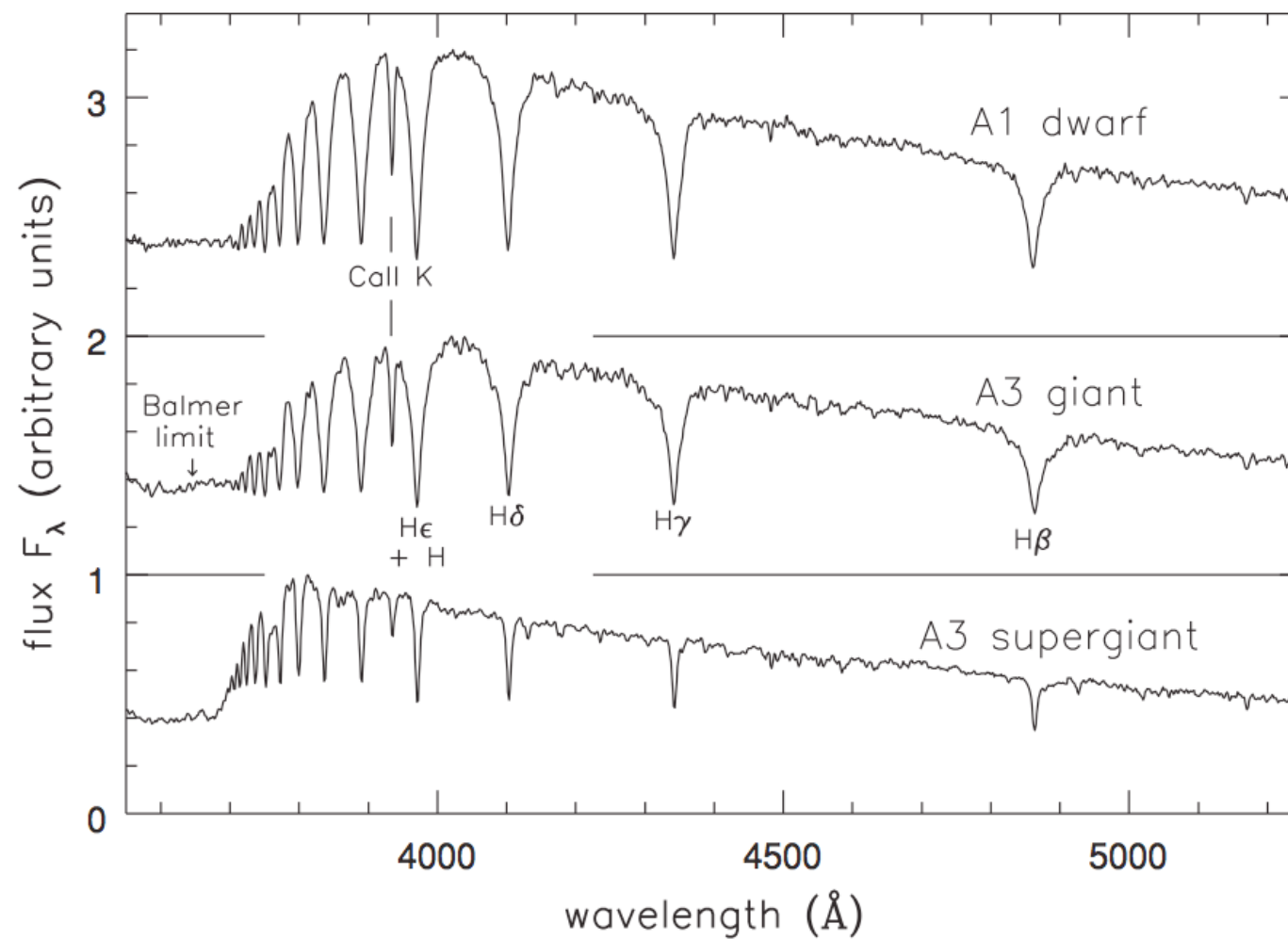


Strength of spectral line depends on T_{eff} of star & also abundance of that element
Stars like the Sun are ~72% H; 26% He and 2% "metals"

Spectral variation versus surface gravity

Surface Gravity ($\log g$)

A-stars



$\log g \sim 4$

$\log g \sim 2$

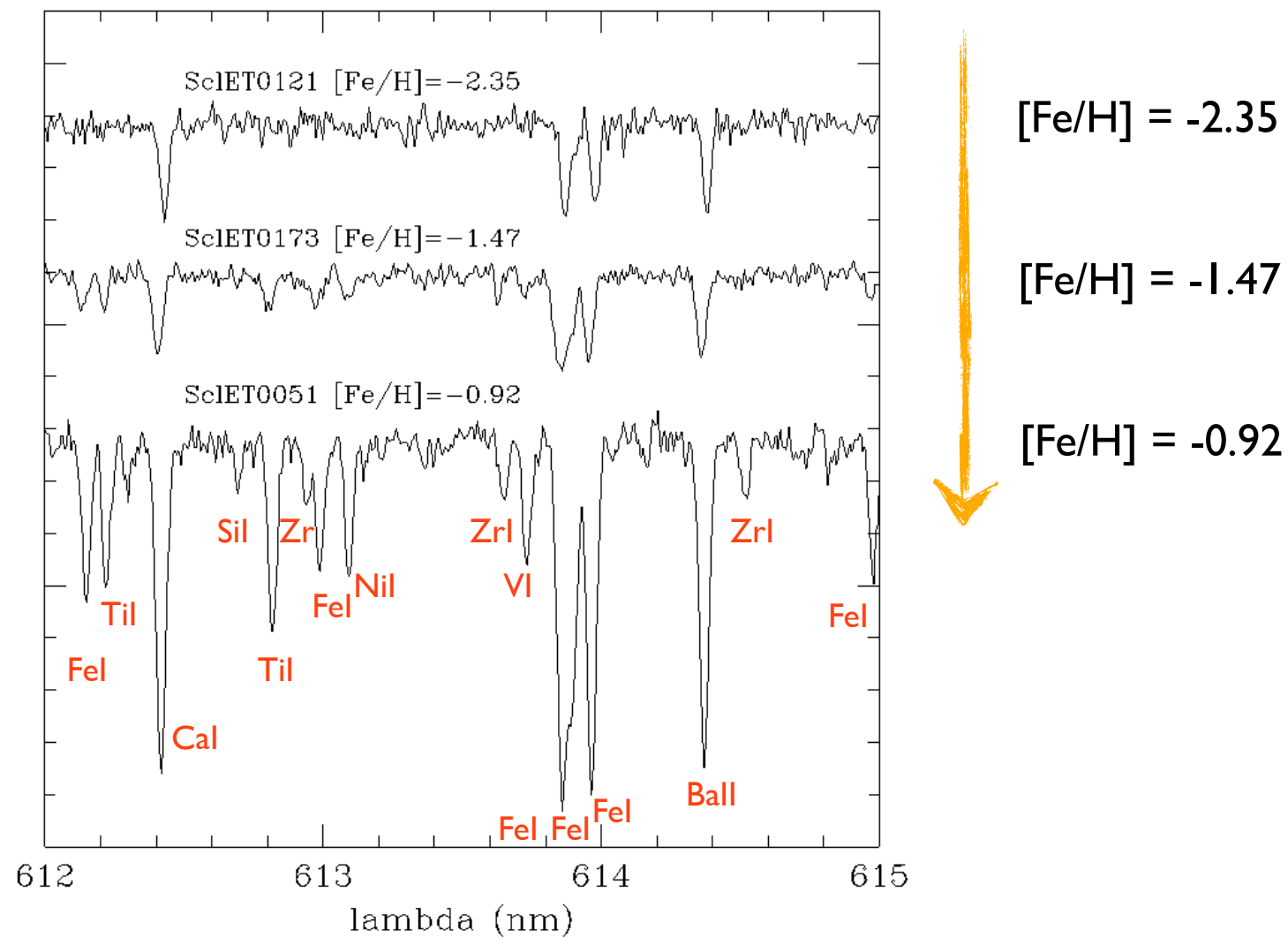
$\log g \sim 0$



Spectral variation versus metallicity

Metallicity (Z or $[Fe/H]$)

K-giant stars



GIRAFFE, R ~ 20k

Stellar classification according to spectra

Standard spectral classification: **OBAFGKM**

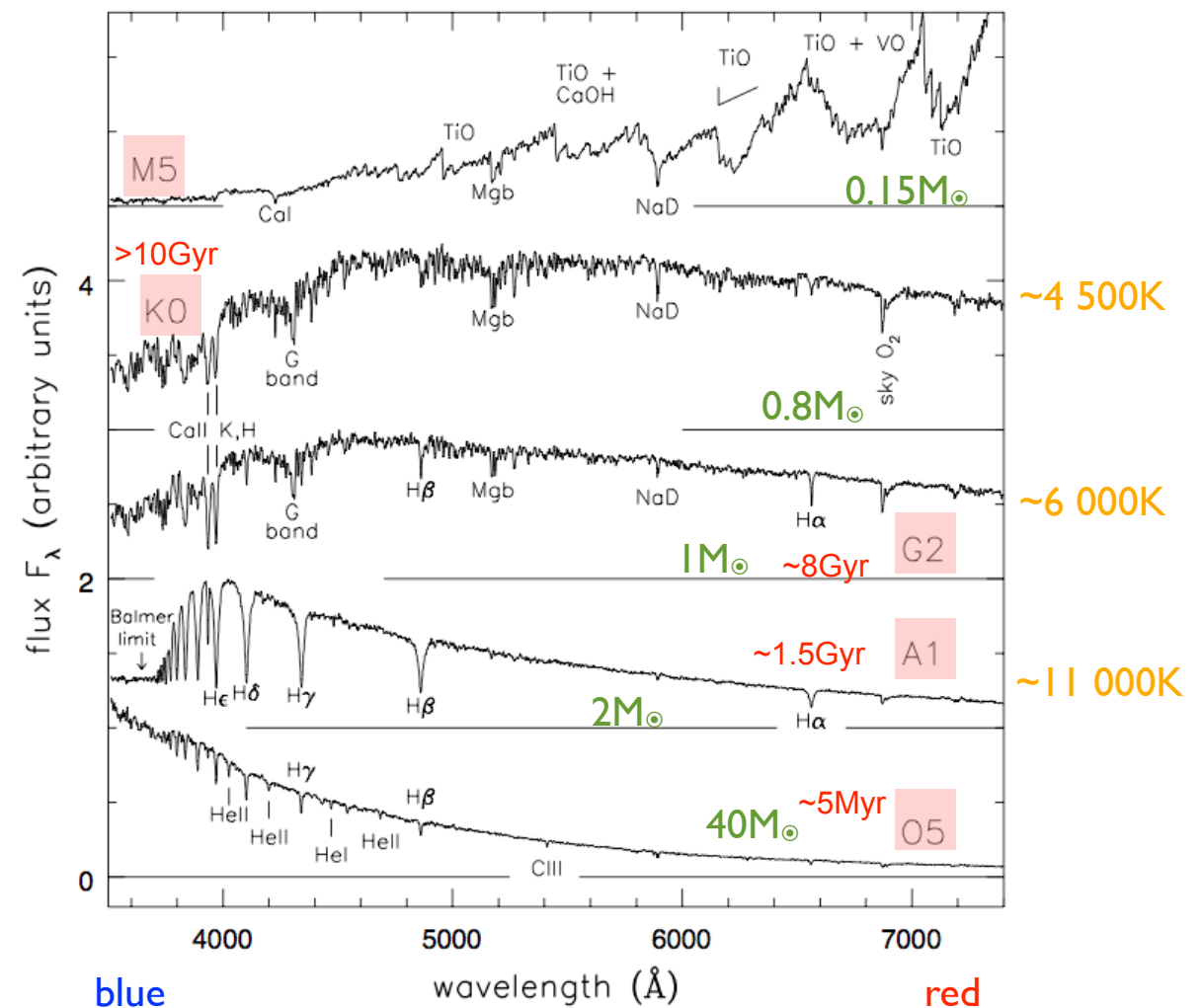
Decreasing T_{eff} sequence

Numbers 1-9 - temperature sub-classes
(hot-cool)

Numbers I-V - luminosity sub-classes
(decreasing $\log g$)

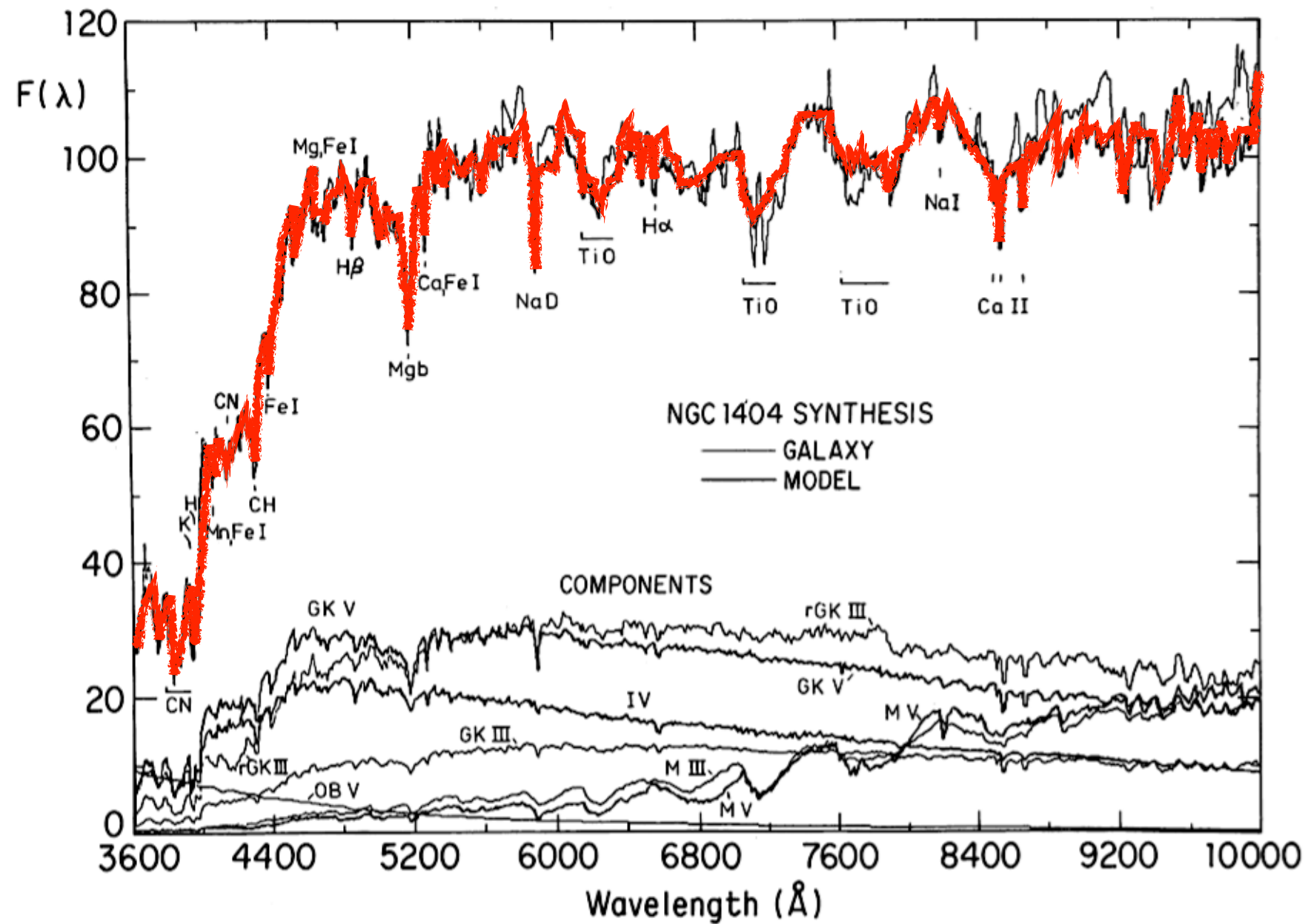
The Sun is a G2V star

Stellar Types & Ages



OBAFGKM...

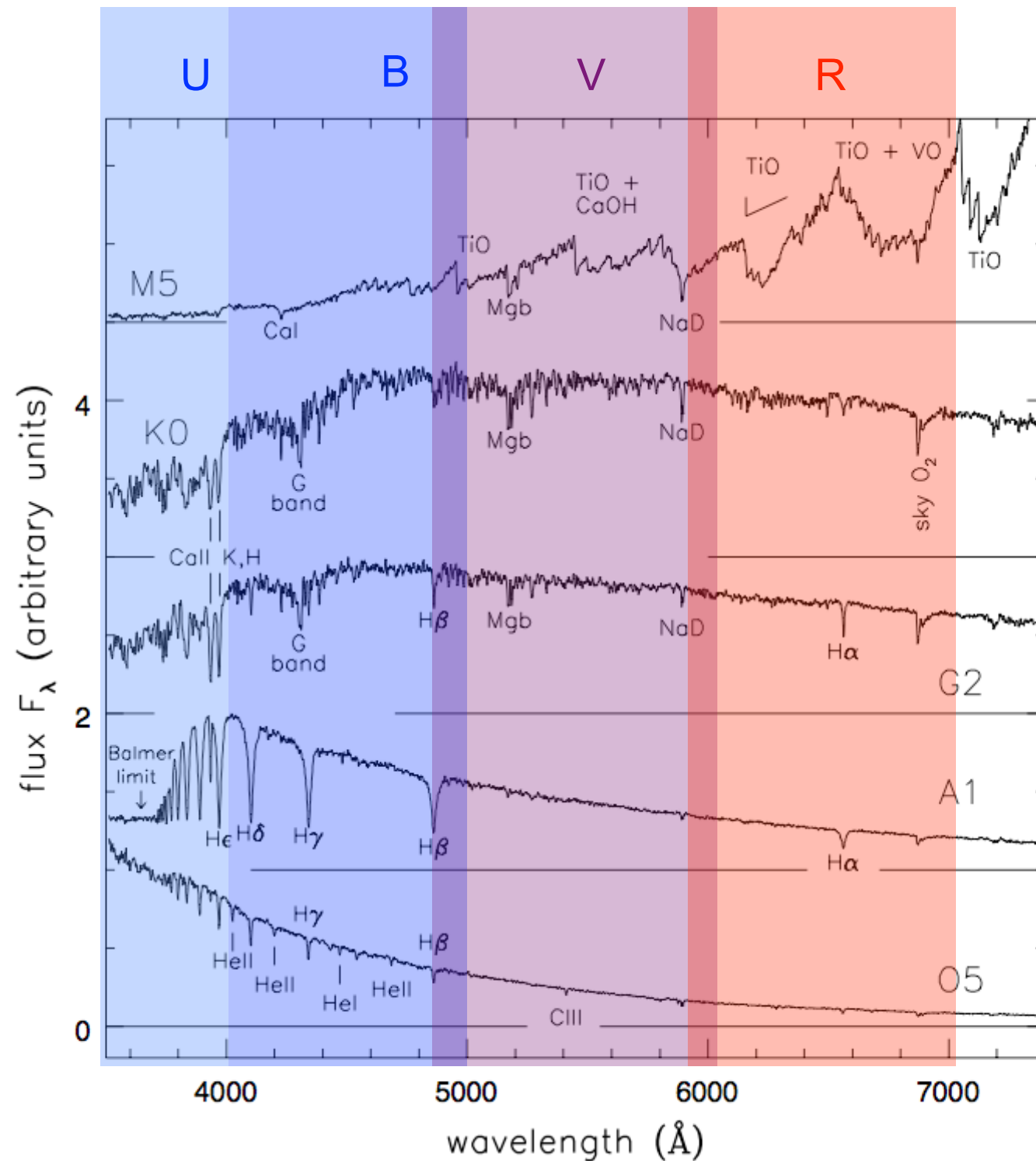
Galaxy = integrated stellar populations



Elliptical Galaxy

O'Connell 1986 PASP, 98, 163

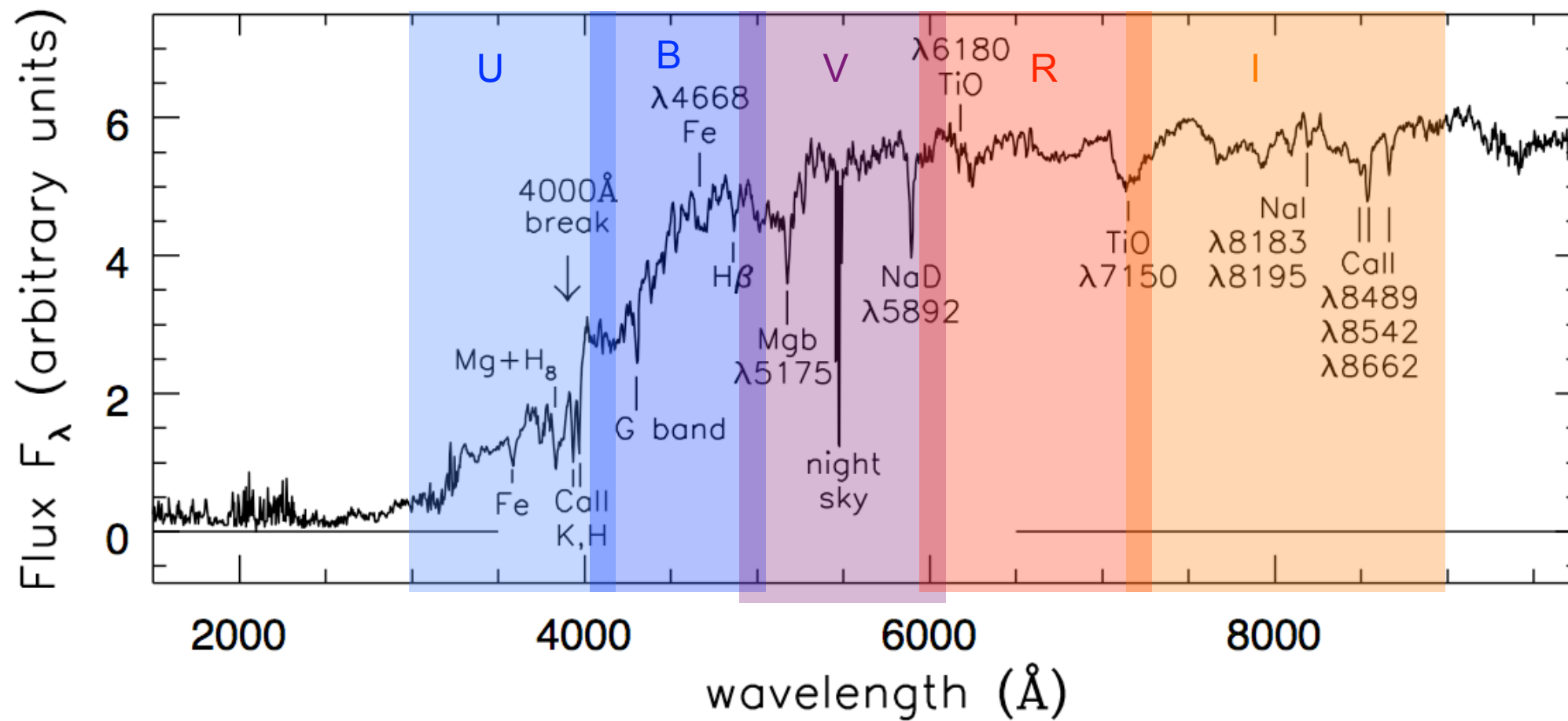
Stellar spectra in different broad-band filters



Notice that stars of different temperatures have very different spectra, so they have different fluxes through the filters and therefore they have different colors.

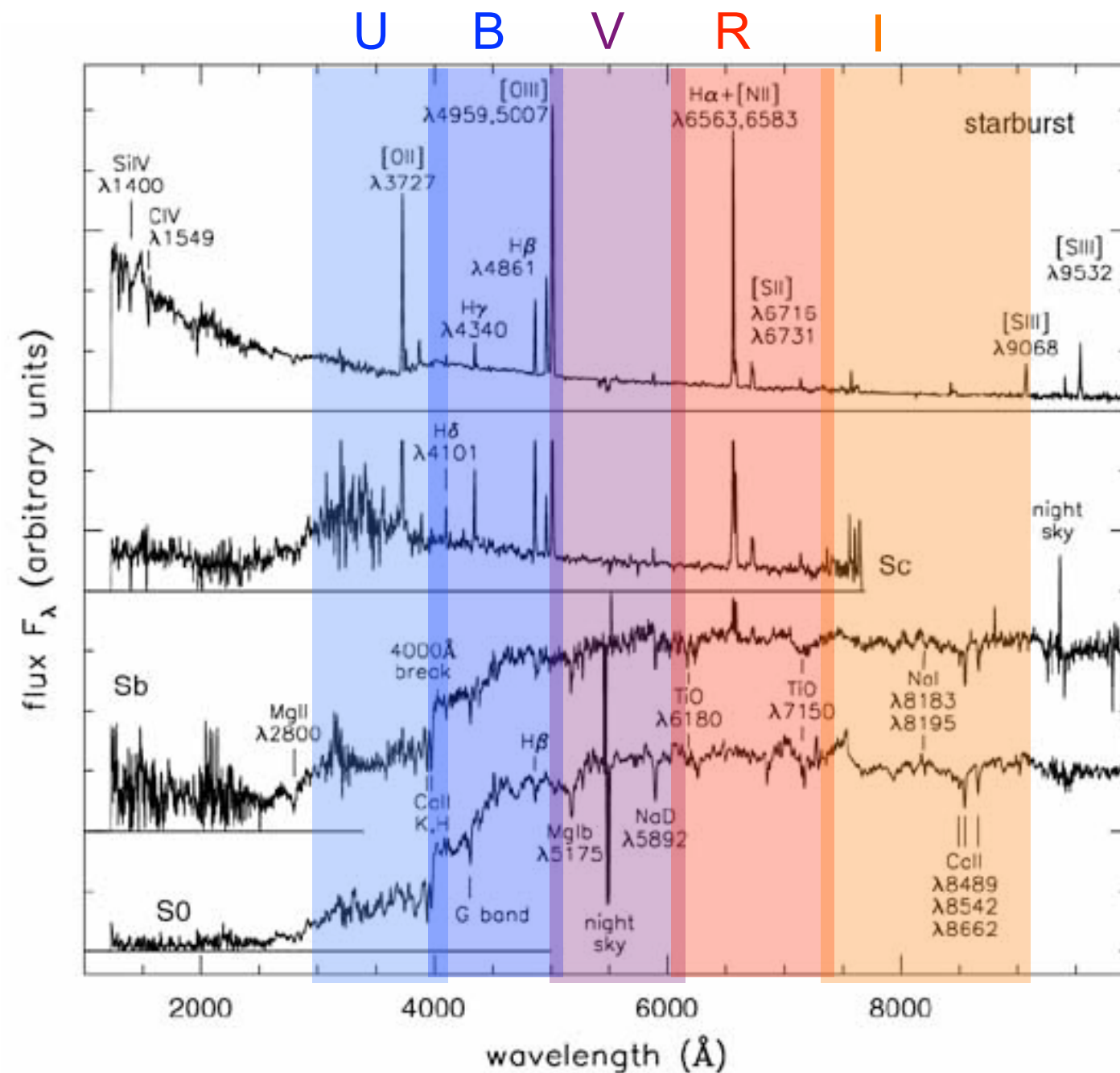
Spectrum of a typical elliptical galaxy

Spectrum of an Elliptical galaxy

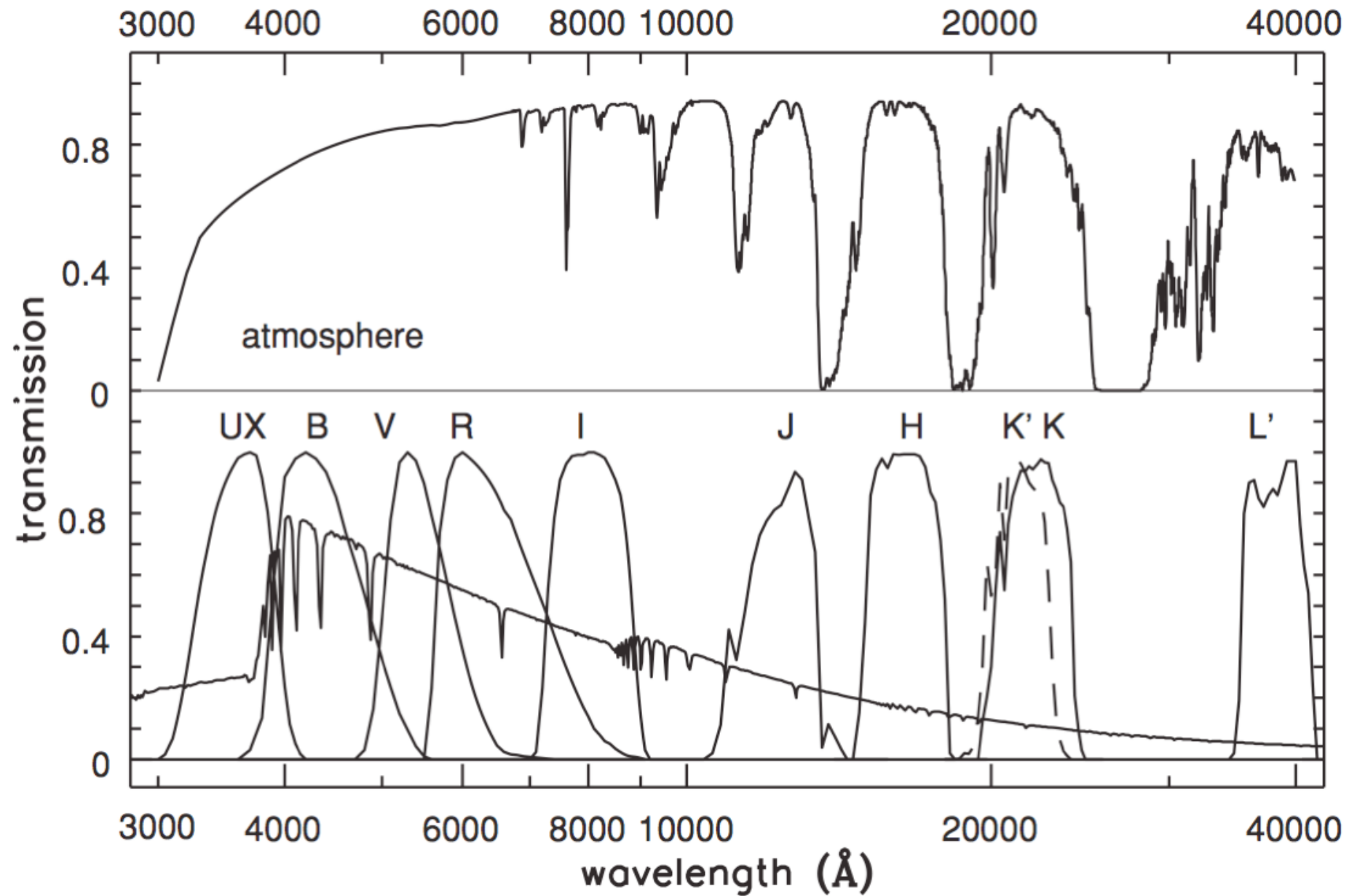


Spectrum of a typical star-forming galaxy

Spectra of late-type galaxies



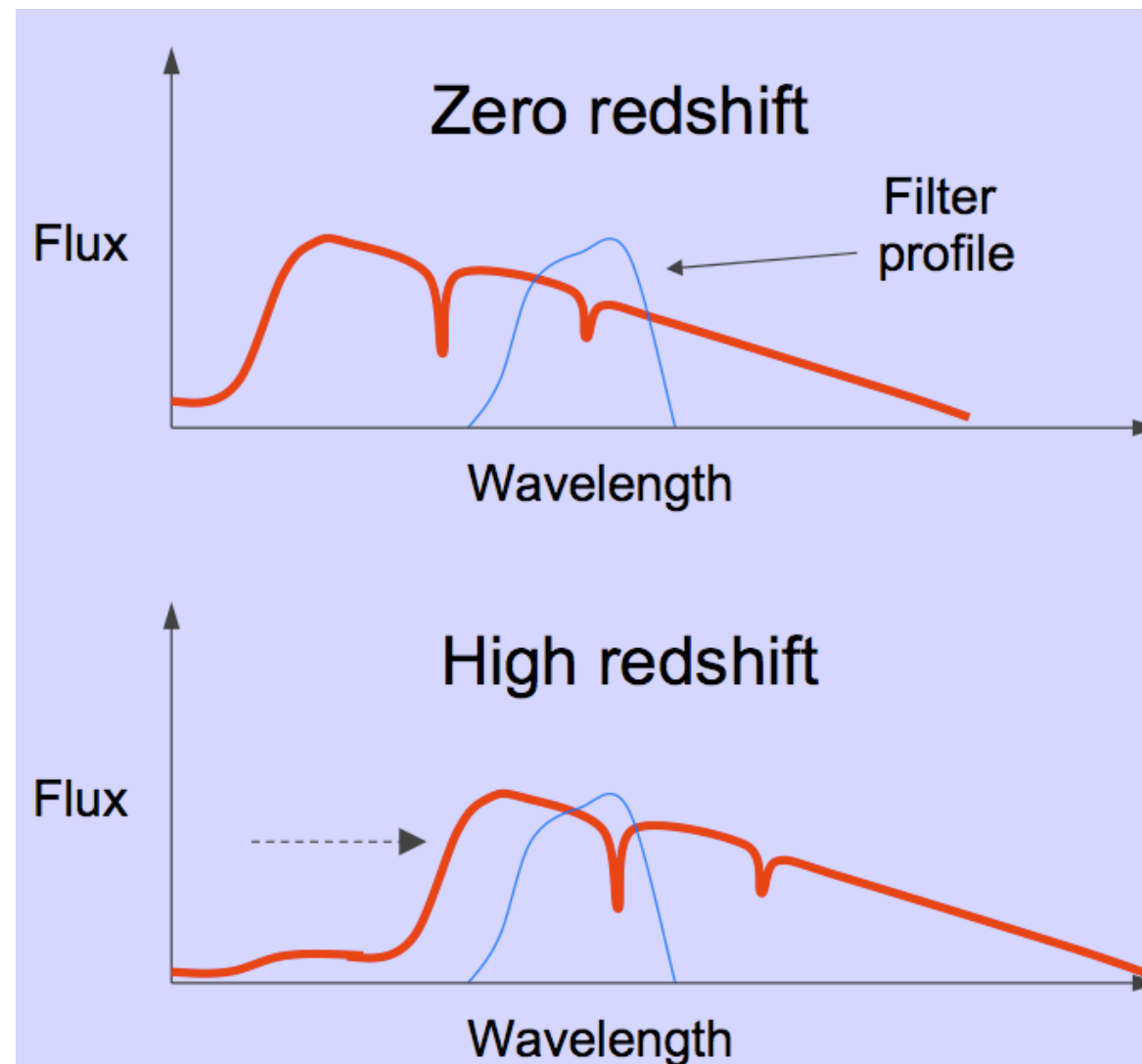
Atmospheric transmission



Photometric calibration is defined to correct for all effects and determine true magnitude of a star in a perfect telescope above the Earth's atmosphere.

The k-correction

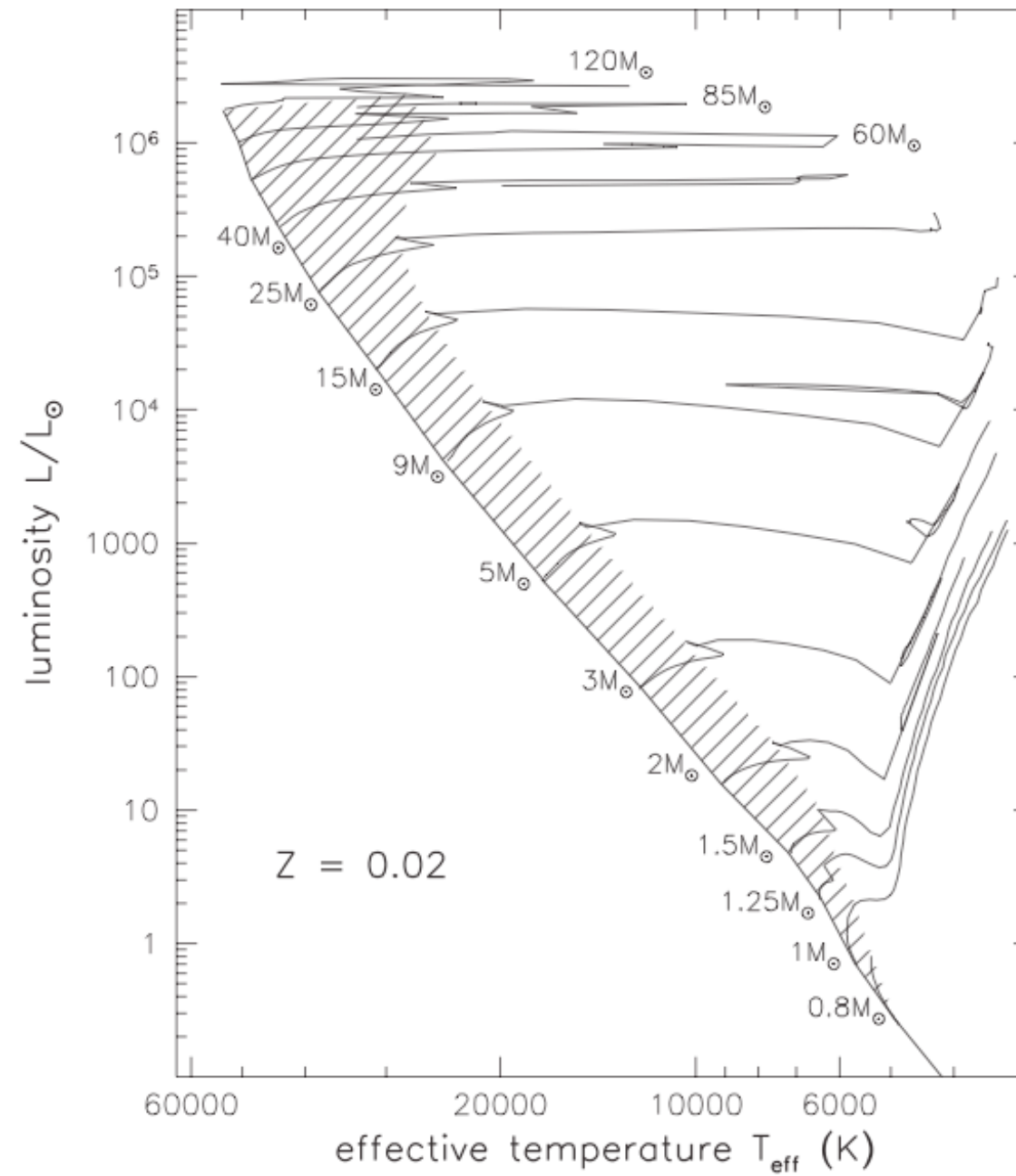
Correcting for red-shifting of light out of wavelength region



This is most important for high-redshift galaxies. If it is not taken into account conclusions can easily be in error.

Stellar Evolution models in HR diagram

A set of stellar models all with the same composition

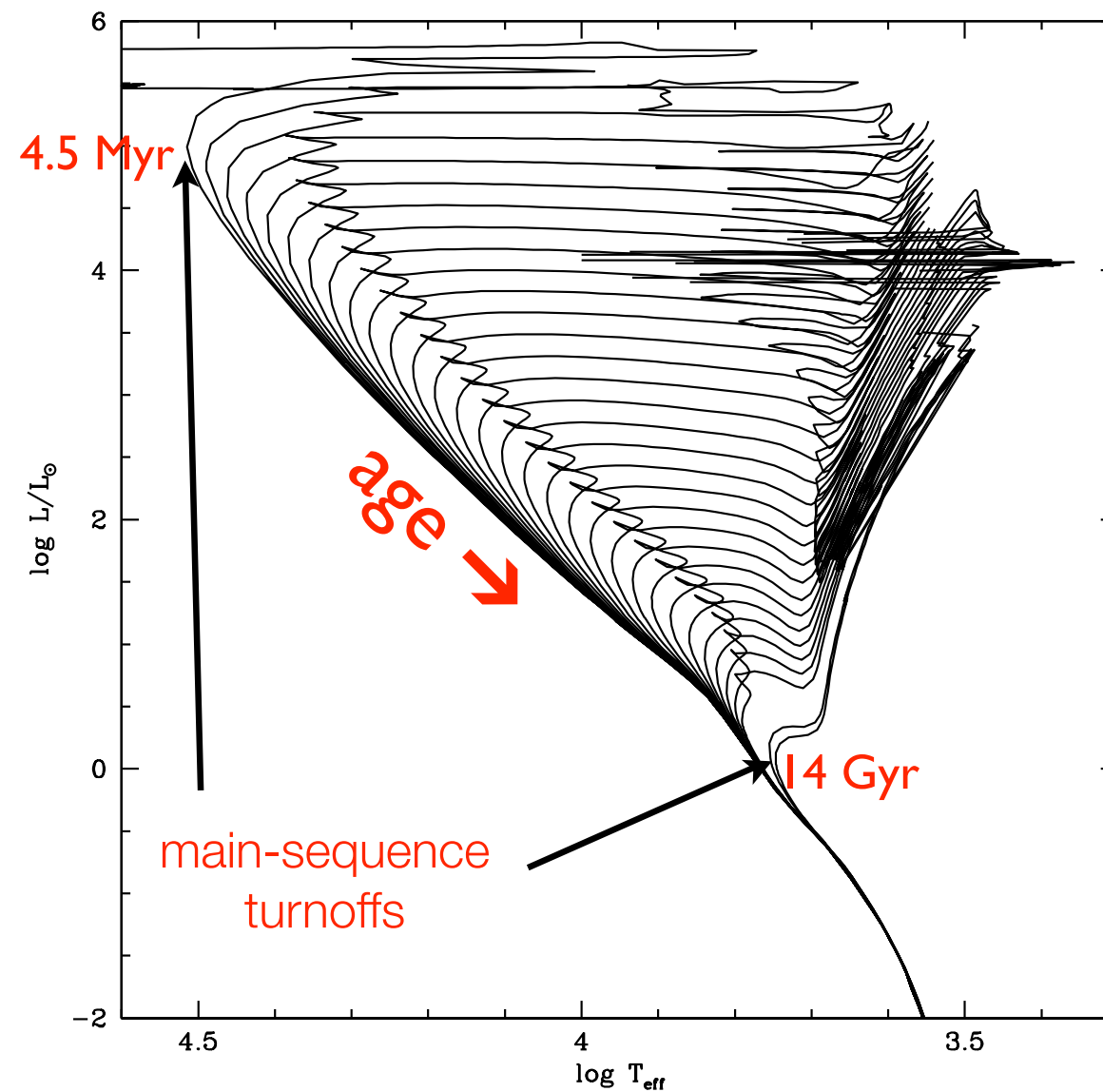


Isochrones in HR diagram

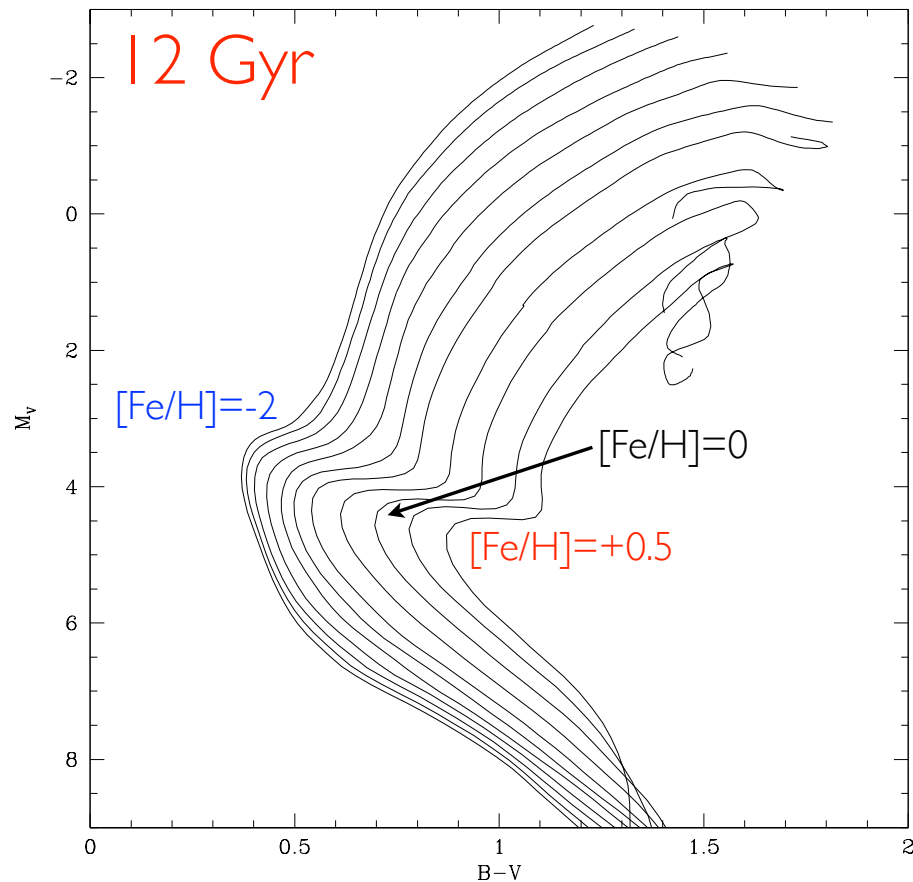
Isochrones - single age stellar populations

A set of stellar models all with the same age and same composition

The resulting track in an HR diagram or a CMD is called an isochrone



The effect of metallicity

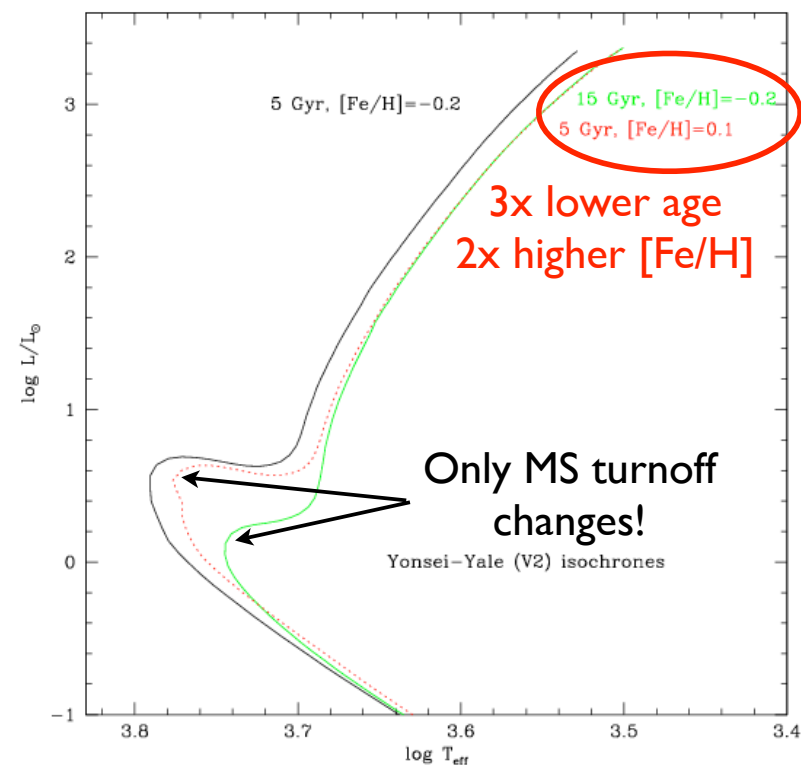


age-metallicity degeneracy

Both age and metallicity affect isochrones, and so MS turnoff required to separate their effects on stellar populations.

Stellar temperatures and luminosities also depend on composition.

This is an opacity effect: more metals mean more absorption, especially in the blue (it's reradiated into the IR), so stars become cooler (redder) and dimmer



Statistical Properties

The stellar luminosity function (LF)

The stellar luminosity function is a measure of the number density of stars per unit of volume and per unit of luminosity (or absolute magnitude)

$$dN = \Phi(M, V) dM dV$$

If the distribution of stars of different luminosities is homogeneous in space:

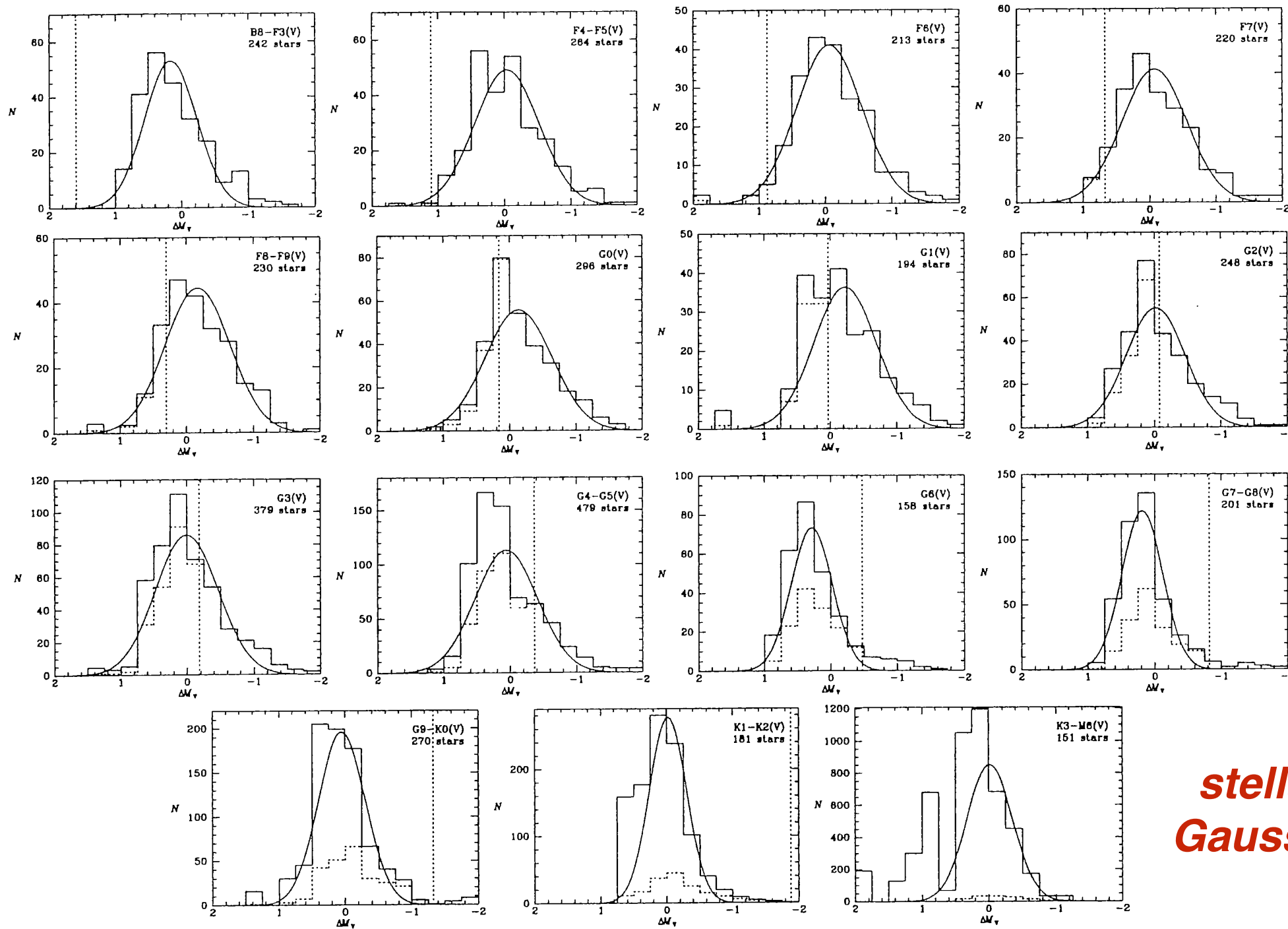
$$dN = [\Phi(M) dM][\nu(V) dV]$$

*Generally, source surveys are apparent-magnitude limited, so the resulting LF is affected by **Malmquist bias***

*This means that the mean absolute magnitude of the **observed** sample is brighter than the mean absolute magnitude of the **total** stellar population*

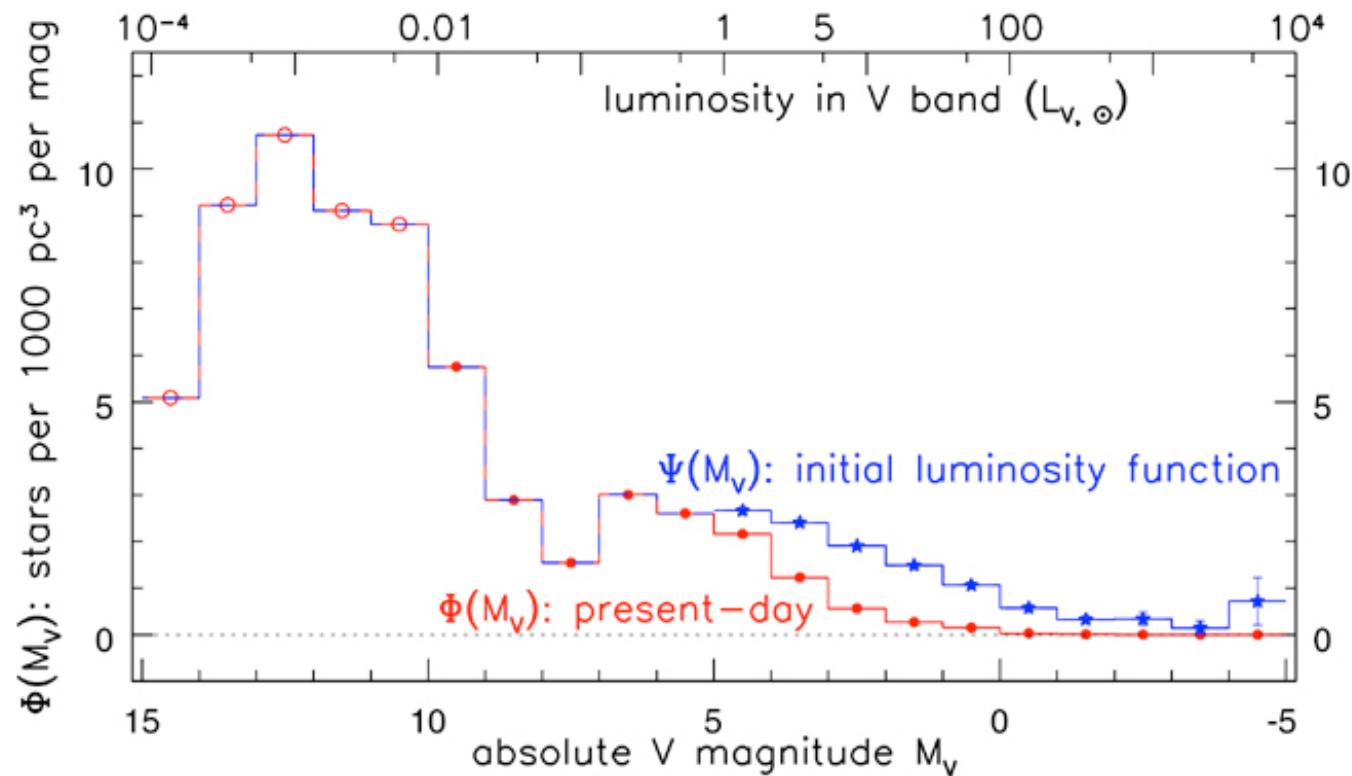
In practice this means that the effective volume in which we see brighter objects is LARGER than the effective volume in which we see fainter objects.

LF for different spectral-type stars



**stellar LF has
Gaussian shape**

The initial mass function (IMF)



To determine $\Psi(M_V)$, we need to determine dN immediately after a star-formation event to get the initial luminosity function Φ_0

$$dN = \Phi(M) dM$$

If the system has been forming stars at a constant rate (roughly true for the MW disk) since time t , then

$$\Phi_0(M) = \Phi(M) \times \begin{cases} t/\tau_{\text{MS}} & \text{for } \tau_{\text{MS}}(M) < t \\ 1 & \text{otherwise} \end{cases}$$

t/τ_{ms} corrects that we only see stars of magnitude M that formed in the last fraction t/τ_{ms} of the population's life

Now we can determine:

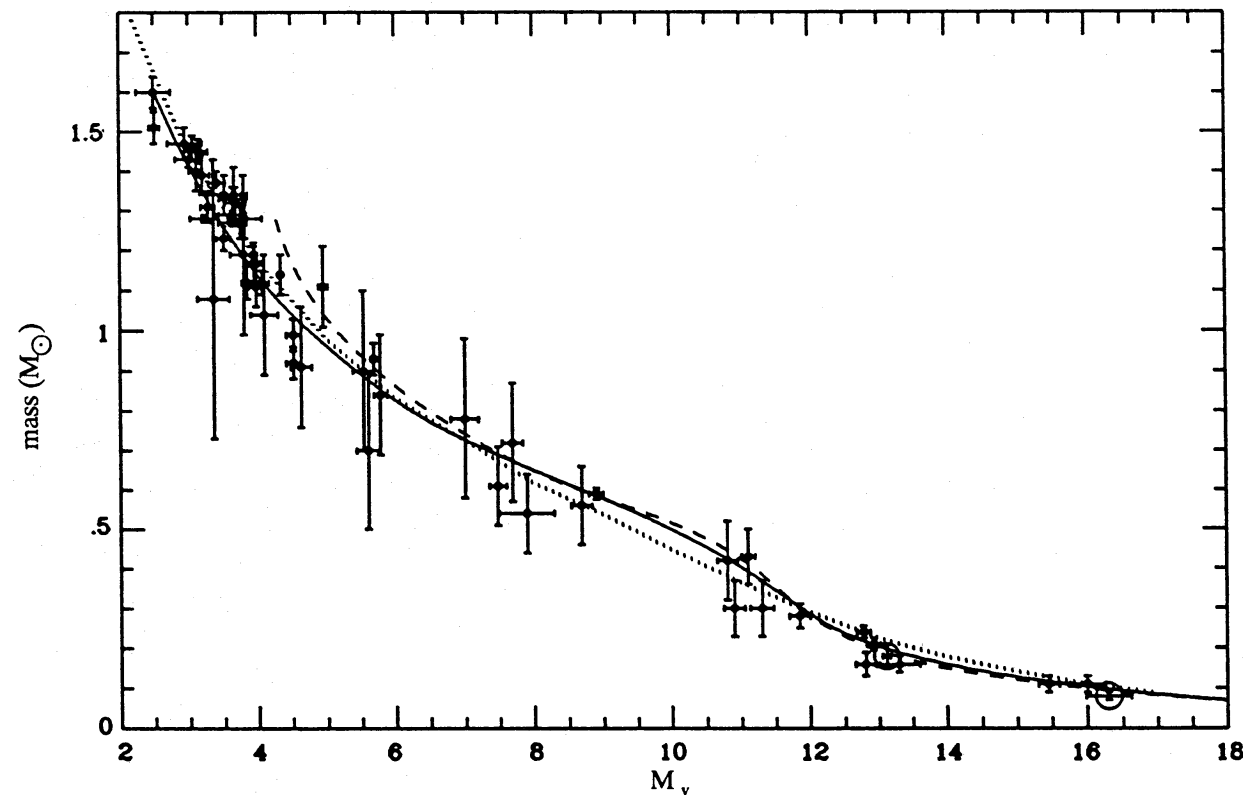
$$\Psi(\mathcal{M}) = \frac{dM}{d\mathcal{M}} \Phi_0[M(\mathcal{M})]$$

specifies the relation between stellar mass and absolute magnitude

Mass-to-light relation

$M(\mathcal{M})$ can be determined from theory or observation...

theory doesn't work very well...



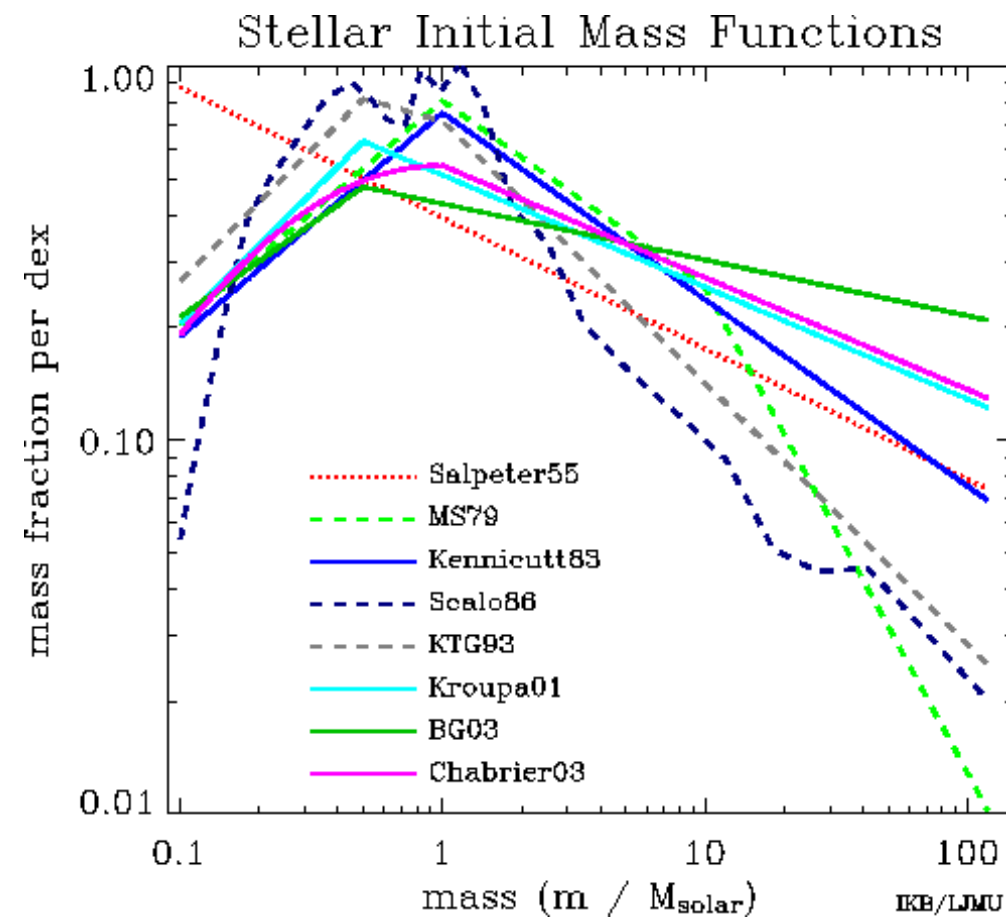
assume a simple function

The simplest IMF is that inferred by Salpeter (1955), which is a power-law

$$\Psi(\mathcal{M}) \propto \mathcal{M}^{-2.35}$$

Possible IMFs

There are a number of different IMFs.



Most evidence suggests that the stellar IMF is universal, meaning it always have the same form. But this is hard to test.

Independently of the IMF, the only stars that will live for > 2.5 Gyr are those with masses $< 1.5 M_{\text{sun}}$

Star Clusters

Globular clusters

very compact objects: $R_e \sim 5\text{-}10\text{ pc}$

Typically have between 1,000 and 1,000,000 stars

contain some of the oldest stars of the host galaxy
tight sequence in CMD

in local galaxies: GC are bluer than host galaxies, suggesting lower metallicities

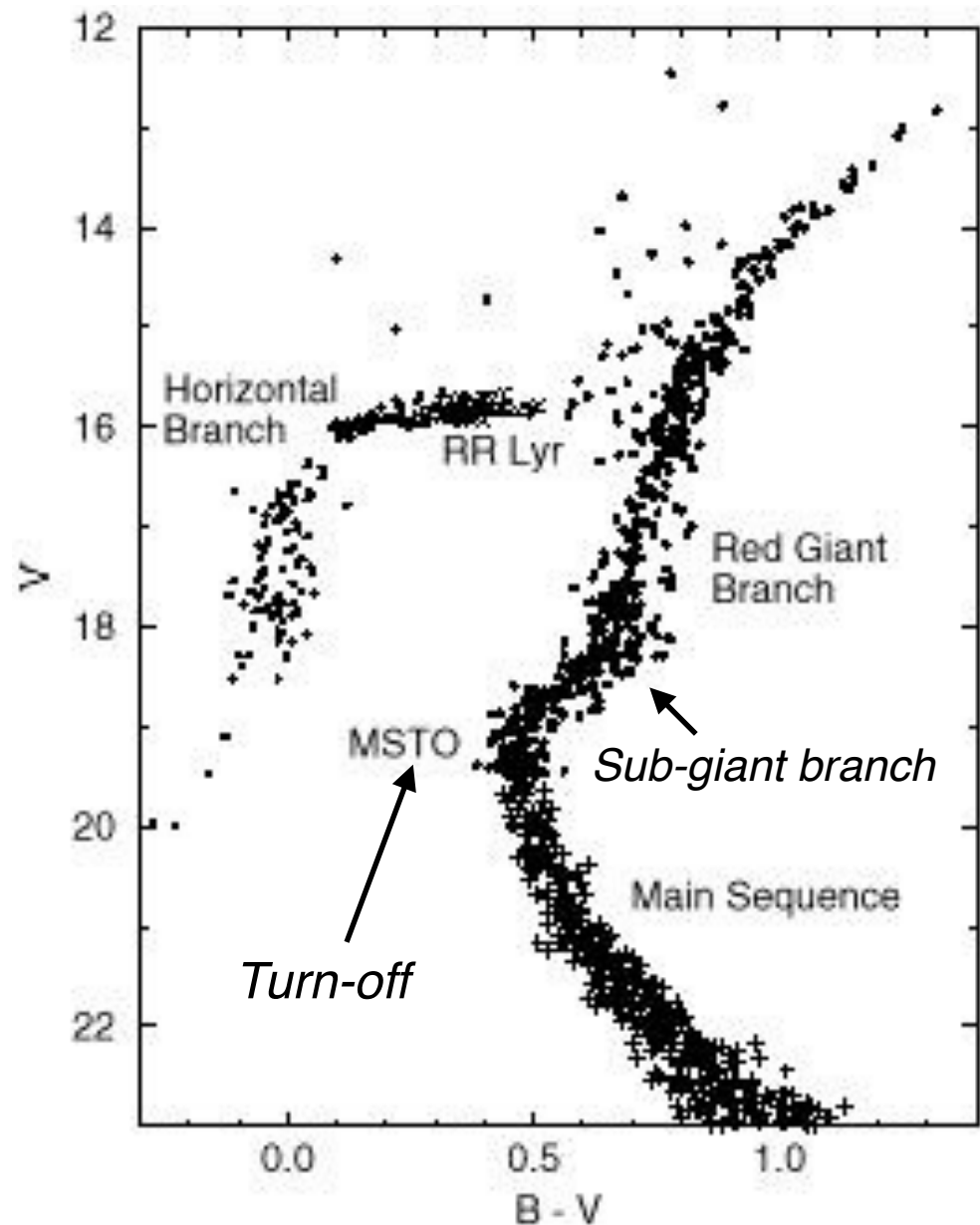


Picture credit: J.-C. Cuillandre

GC set a minimum age for the host galaxy and have been used to constrain the age of the Universe

Globular clusters - CM diagrams

GC M15



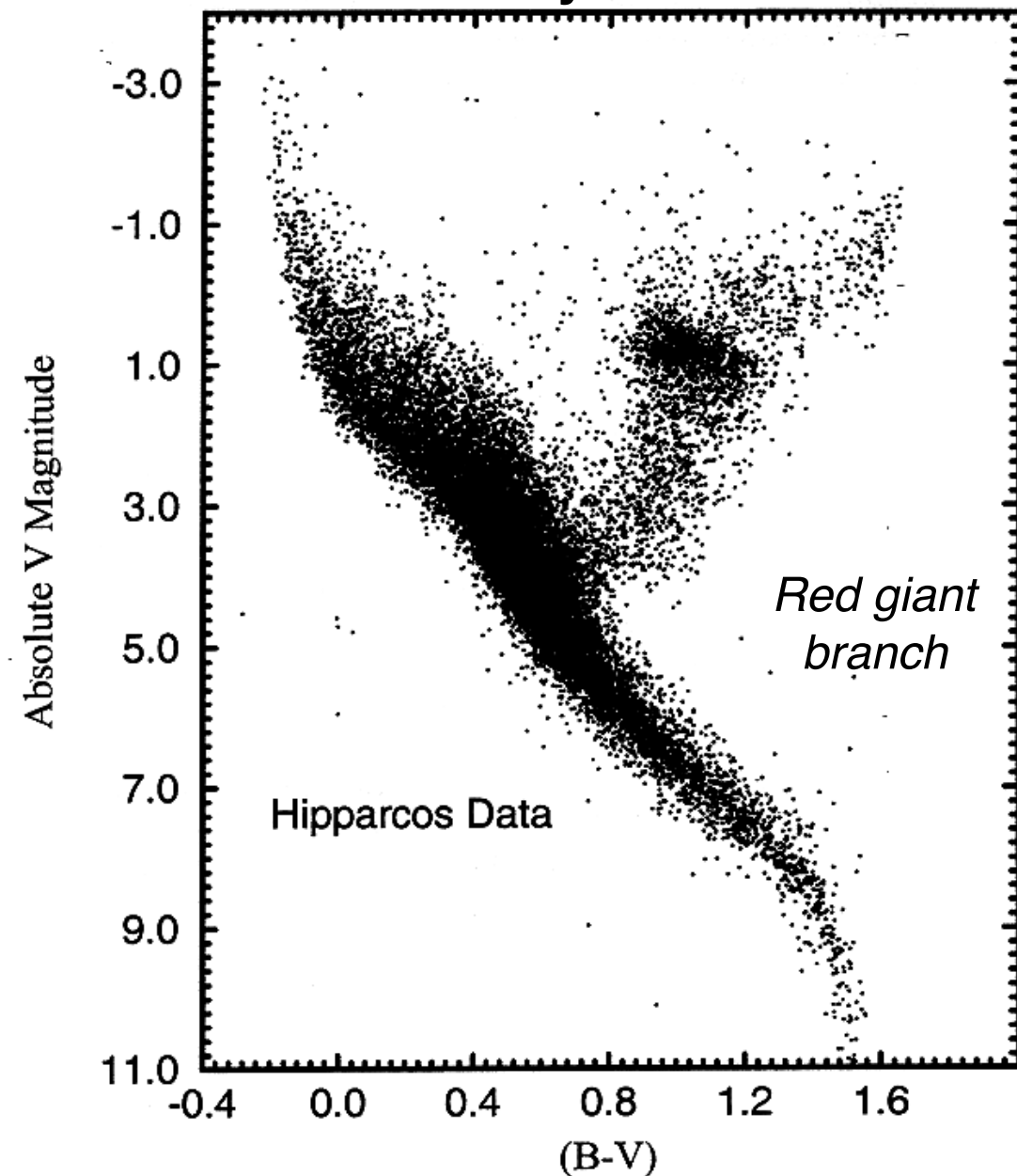
Picture credit: NED notes - Krauss

In GCs the MS is truncated: **lack of young stars**

In GCs the SGB is very well defined - indicates that **most stars probably have same age**

Prominent Horizontal Branch indicates many stars with **low metallicities**

nearby stars



See Binney & Merrifield - ch.6

Open clusters

Low mass - $R_e \sim 10$ pc

Typically have $< 1,000$ stars

most of them are young and do not last long - they live in MW disk, so suffer strong tides and shearing motions

*Member stars are **coeval** and have the same composition*



The Pleiades cluster is a good example of an open cluster. The “fuzziness” is starlight reflected from interstellar dust

