

Introduction & Basic Concepts

Karina Caputi

Physics of Galaxies 2019-2020 Q4
Rijksuniversiteit Groningen

Course Information

Teachers: Prof. Karina Caputi (lectures)
Anqi Li (tutorials)
Giulio Rosani (tutorials)

Timetable: Lectures on Wed (11-13 h) and Fridays (9-11 h)
Tutorials Thursdays (9-11 h)
*Check schedule **

Course Assessment:

Special Assignment (30%)
Final Exam (70%)

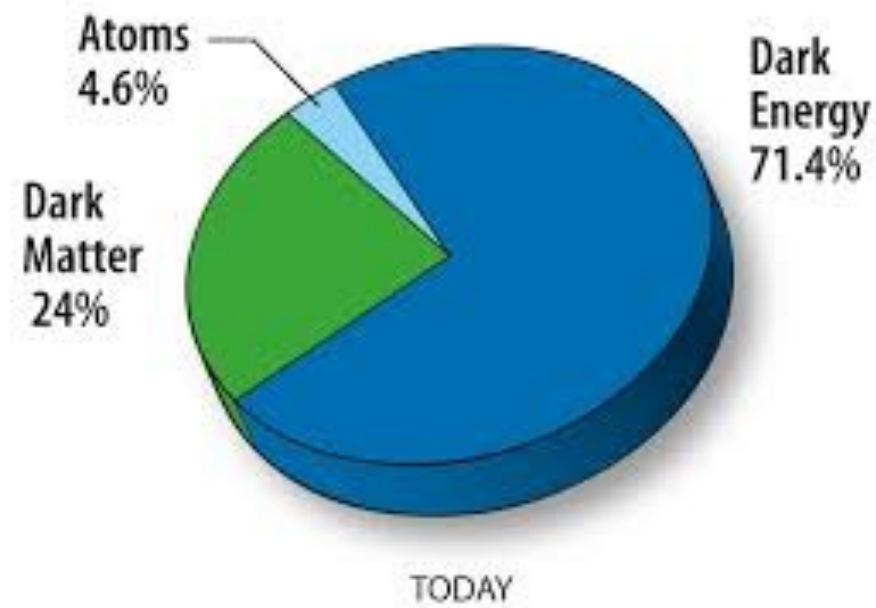
Deadline: 22 May 2020
17 June 2020
(resit 8 July 2020)

All necessary info available at:

* https://www.astro.rug.nl/~karina/pog_schedule.html

This Course in Context

The Universe we live in



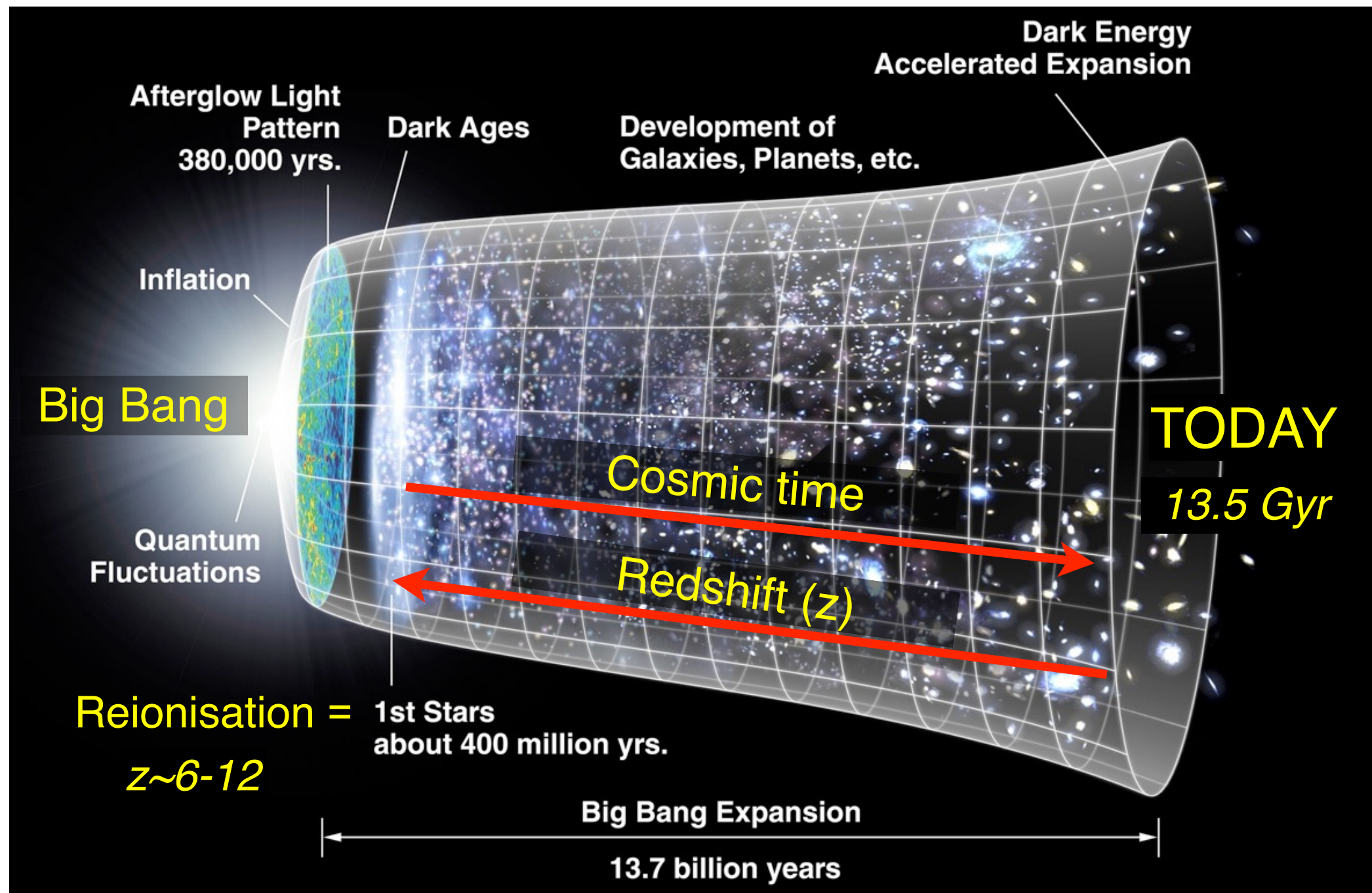
In this course we will mostly deal with baryonic matter

Gravitational collapse makes that most baryons are aggregated in stars and galaxies

Galaxies are gravitational bound units composed of stars, gas and dust, which live in dark matter haloes



The Universe timeline



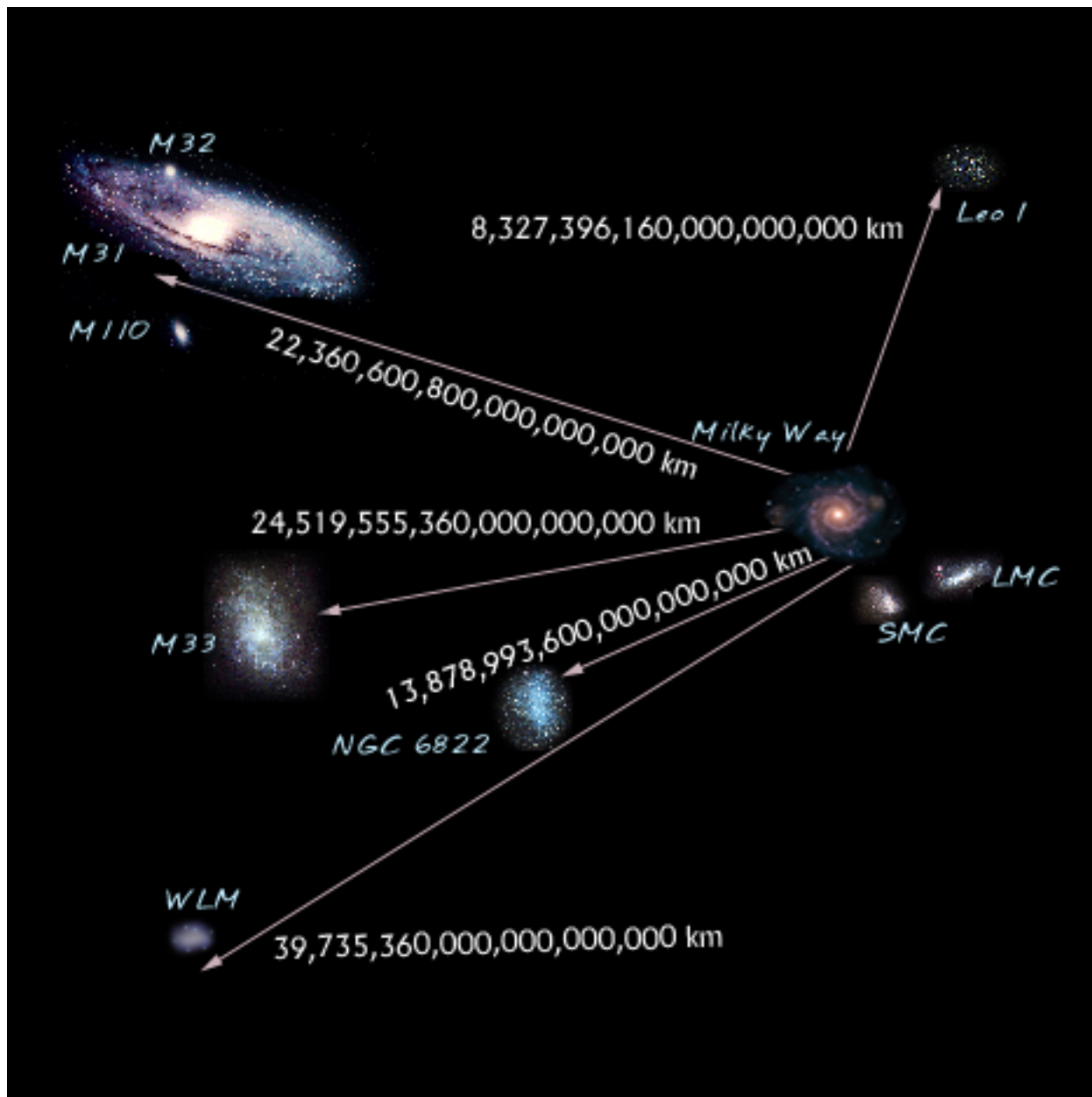
Galaxies in the Universe

Our own Galaxy: the Milky Way

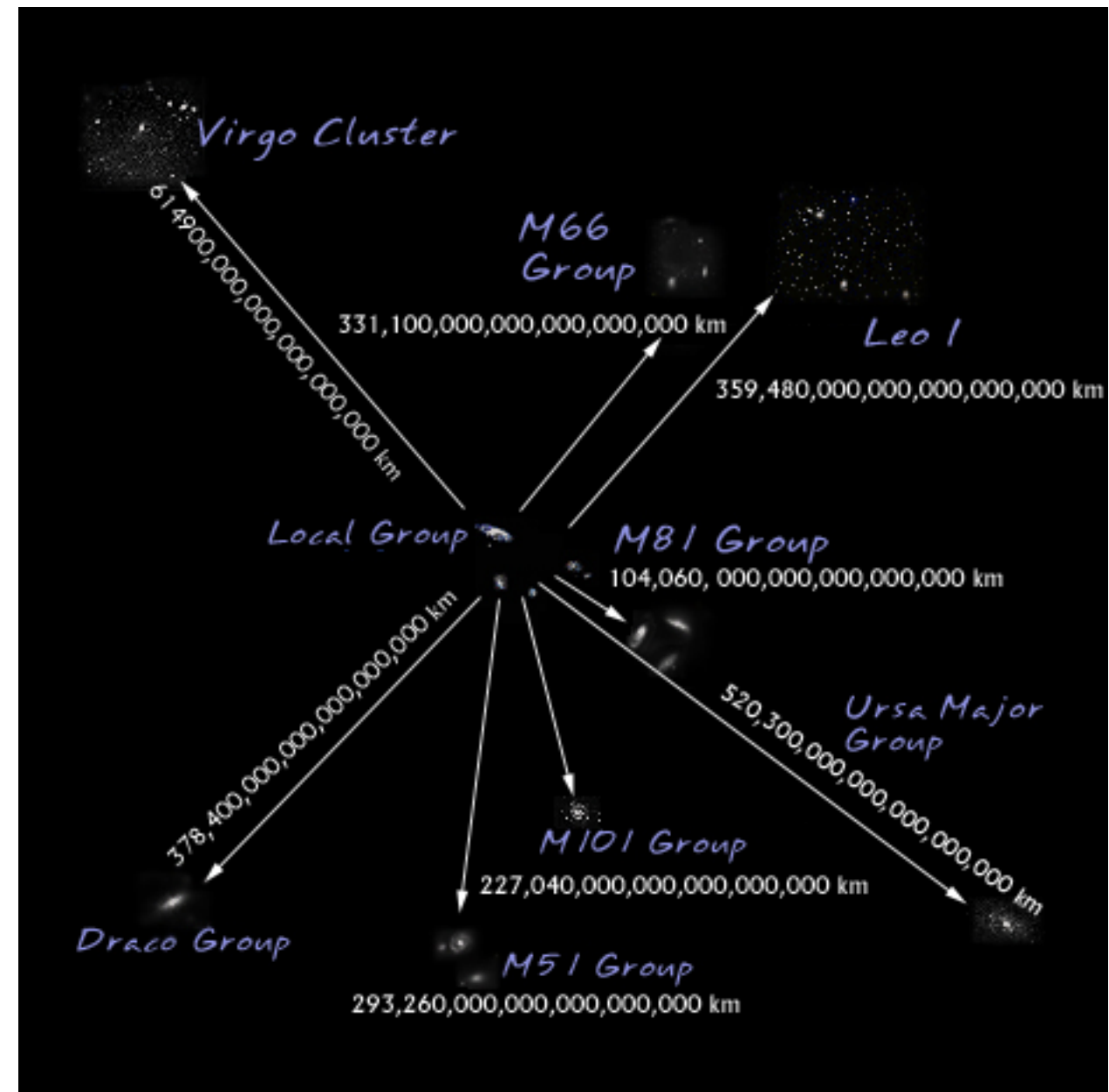


The Milky Way's neighbourhood

The Local Group



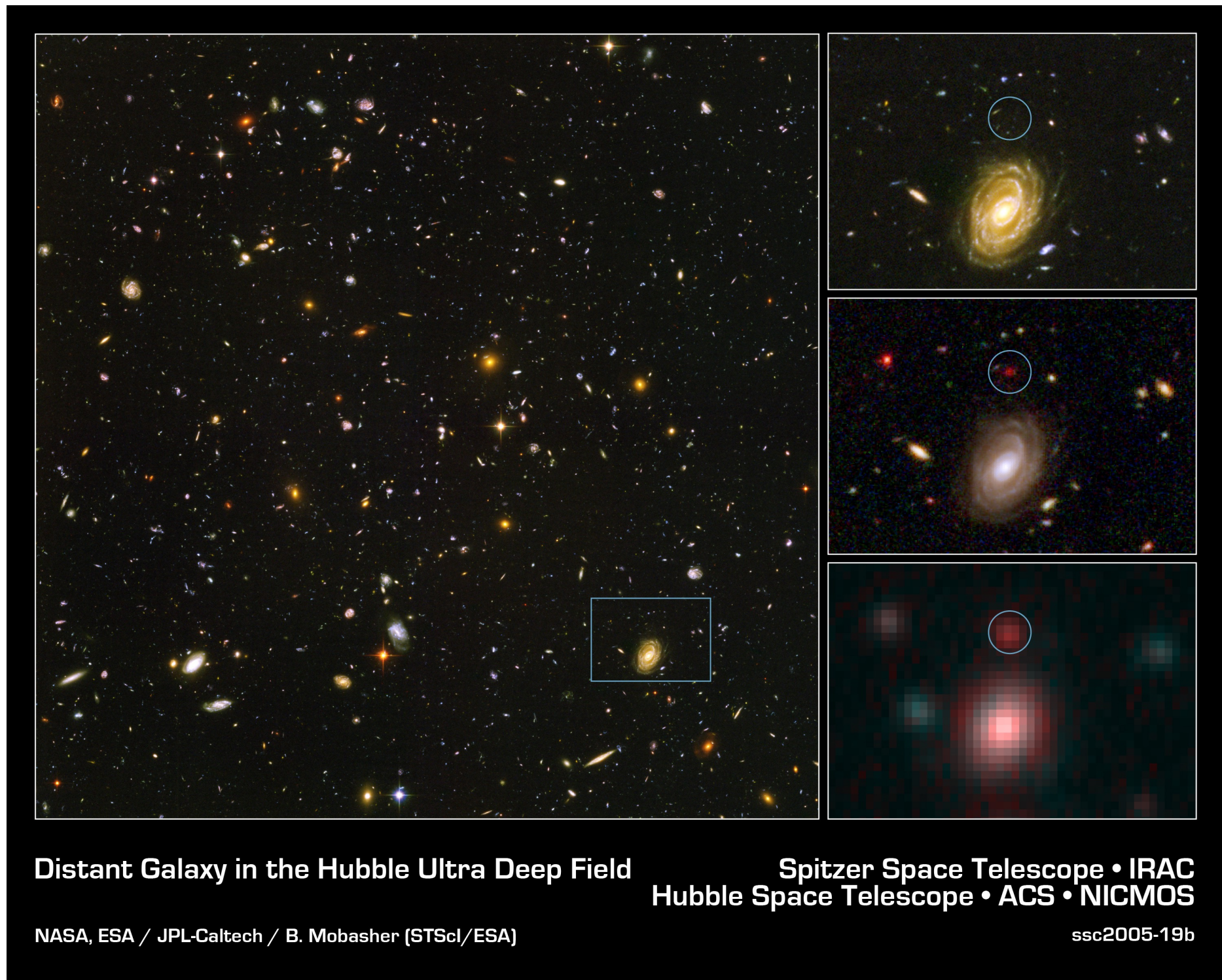
The Local Supercluster



1 light year = 9.461×10^{15} m

Picture credit: NASA

Distant Galaxies



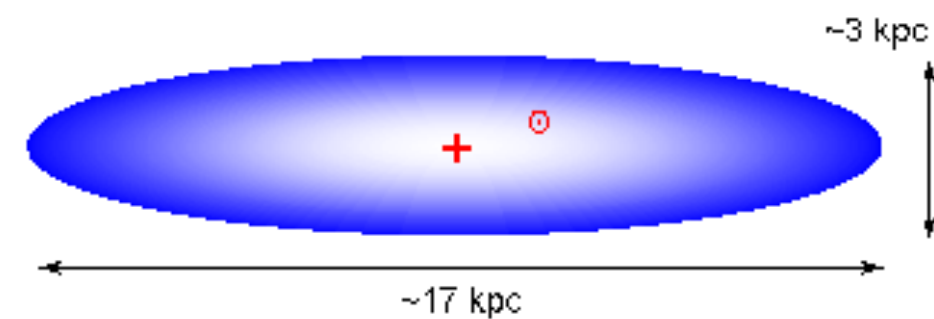
$$1 \text{ Mpc} = 3.086 \times 10^{22} \text{ m}$$

A bit of history...

The Universe's view a century ago



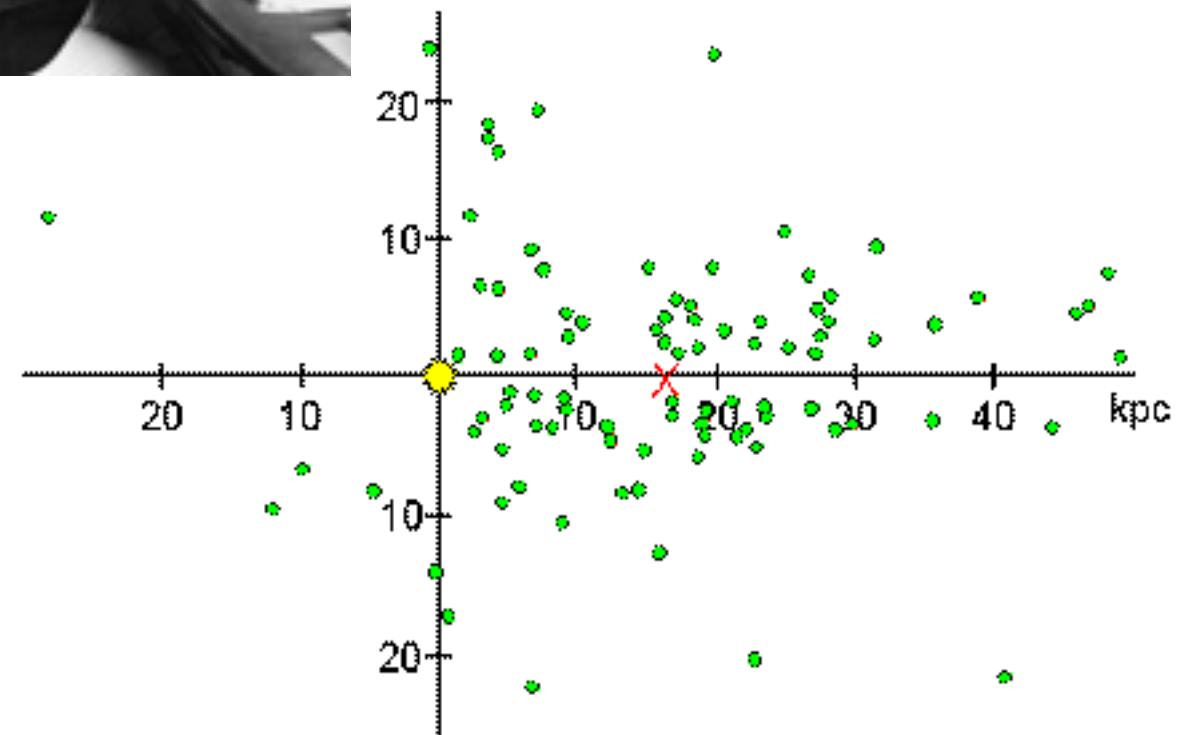
Kapteyn Model (1922)



kpc = kiloparsec = 1000 pc



Shapley's model



The Great Debate (1920)



Harlow Shapley



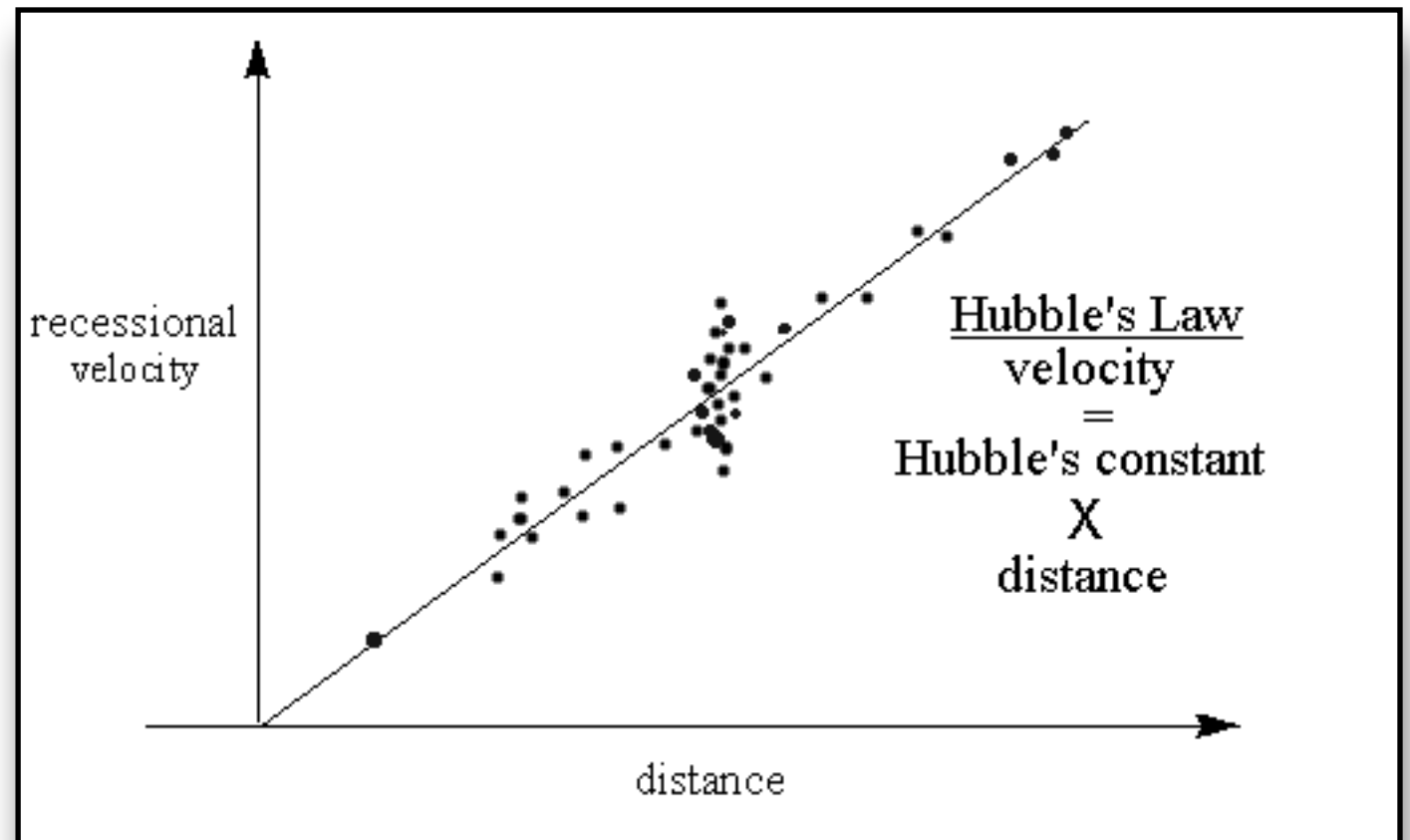
Heber Curtis

Point of conflict: the nature of observed 'spiral nebulae'

The cosmology revolution



Edwin Hubble



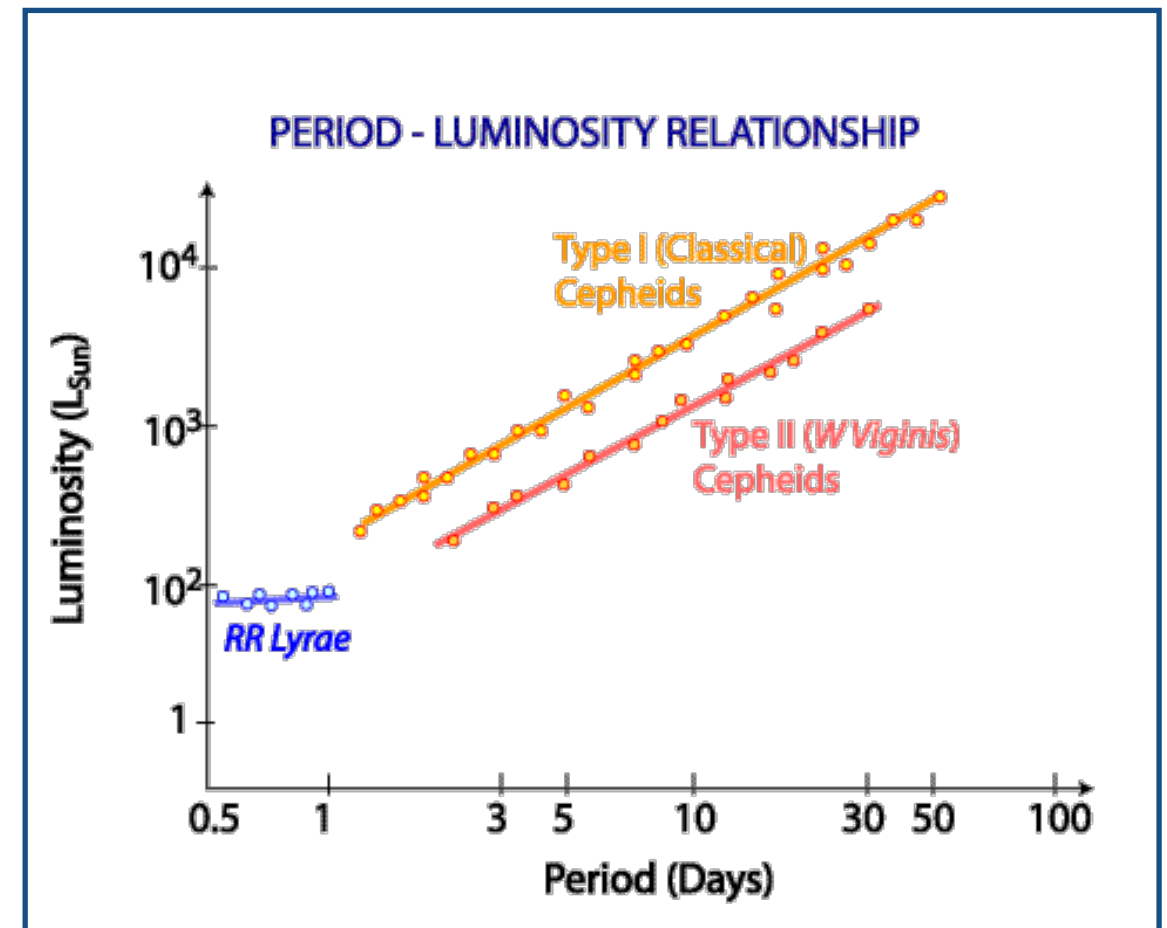
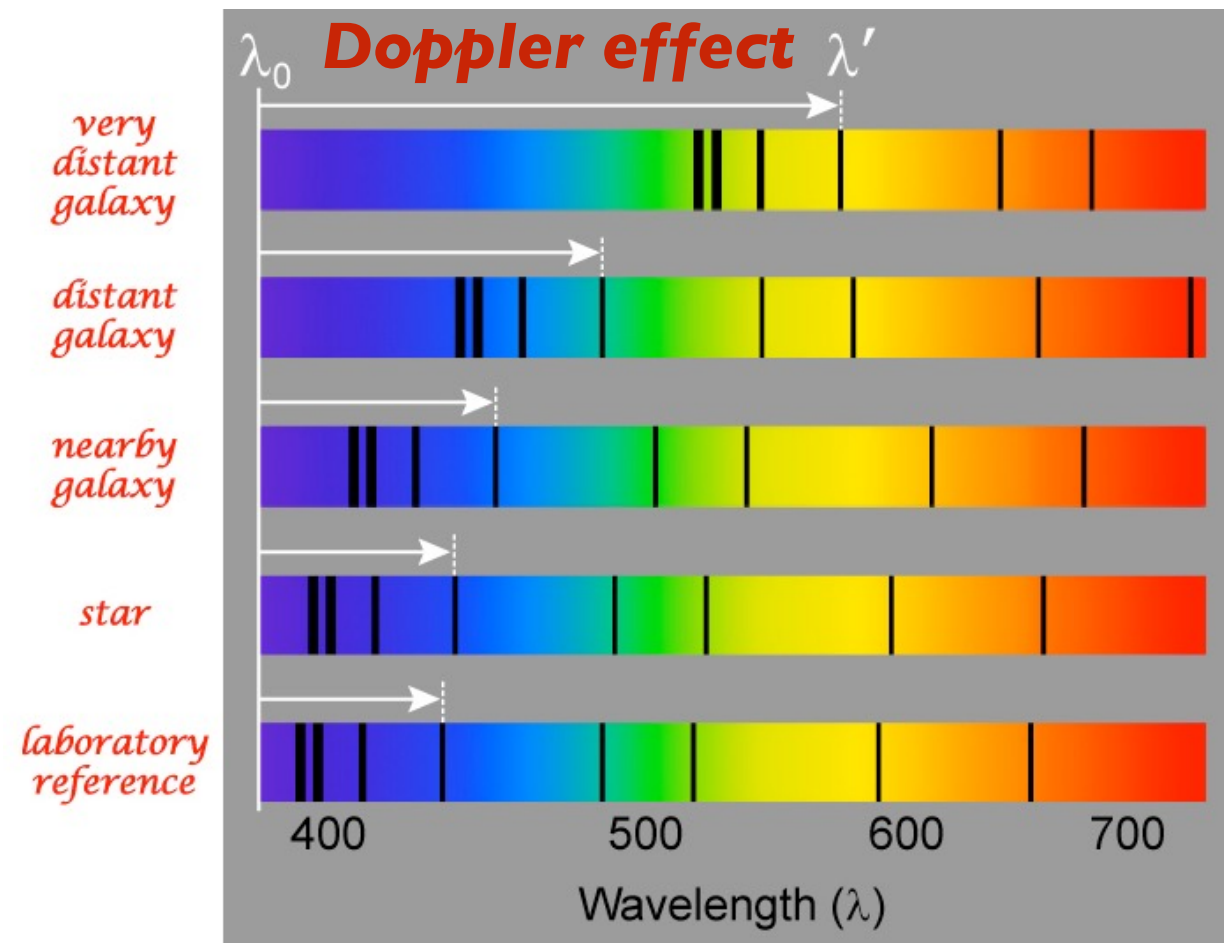
Hubble's Law:
$$v = H_0 \times d$$

The Universe is expanding!

Karina Caputi 15 Feb 2017, 22:09
Typical distances on x axis up to 100 Mpc ~ 10^{21} km. This is the typical maximum scale in which distances can be measured through Cepheids. Supernovae type I can be used up to at least 1000 Mpc.

How we measure distances

In the nearby Universe, we calibrate Hubble's Law $v = H_0 \times d$



In the distant Universe, we only measure spectral line shifts (*redshifts*) and infer distances

$$z = (\lambda_o - \lambda_e) / \lambda_e$$

$$v_r = c (\lambda_o - \lambda_e) / \lambda_e \quad (\text{if } v_r \ll c)$$

Basic Concepts

Measuring the light of a point-like source

$$L = 4\pi d_L^2 f$$

$$f \equiv \int f_\nu(\nu) d\nu = \int f_\lambda(\lambda) d\lambda$$

Angular separation of two sources at the radial distance from us:

$$\alpha = D/d \quad \text{with } \alpha \text{ in radians.}$$

Telescope diffraction limit:

$$\theta = 1.22 \times \lambda/D \quad \text{with } \theta \text{ in radians.}$$

Stefan-Boltzmann:

$$L = 4\pi R^2 \sigma_{SB} T^4$$

The magnitude system

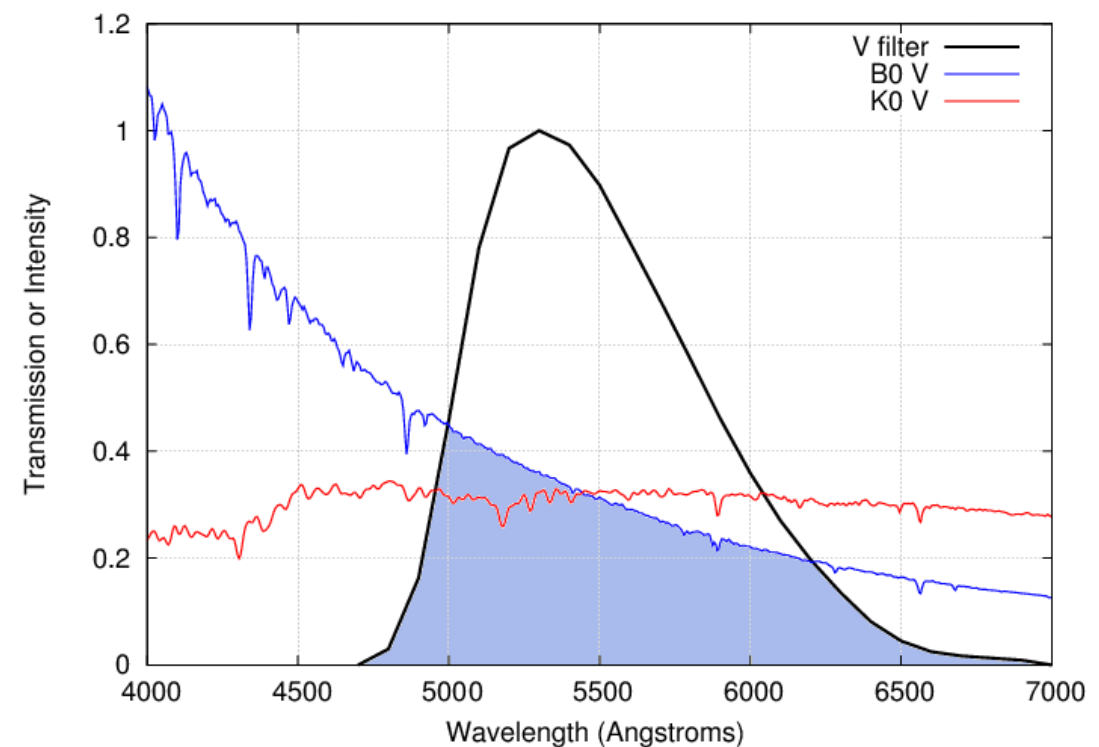
$$m = -2.5 \log_{10}(f_\nu / f_0) = -2.5 \log_{10}(f_\nu) + ZP$$

f_ν -> flux density, per unit of frequency
(c.g.s. units: $\text{erg s}^{-1} \text{cm}^{-2} \text{Hz}^{-1}$)

Flux density measured with a filter in a passband:

$$f_\nu(\lambda_{eff}) \equiv \frac{\int_0^\infty f_\nu(\lambda) T(\lambda) d\lambda}{\int_0^\infty T(\lambda) d\lambda}$$

$$\lambda_{eff} \equiv \frac{\int_0^\infty \lambda T(\lambda) d\lambda}{\int_0^\infty T(\lambda) d\lambda}$$



Picture credit: spiff.rit.edu

More photometry

Source (A-B) colour:

$$m_A - m_B = -2.5 \log_{10}(f_\nu^A / f_\nu^B)$$

If $\lambda_A < \lambda_B$ then:

negative colour -> “blue” source

positive colour -> “red” source

Effect of dust extinction (uniform distribution):

$$f_{obs} = f_{em} e^{-\tau_\lambda}$$

← optical depth

Absolute magnitudes:

$$m - M = -2.5 \log_{10}(f/F) = 5 \log_{10}(d/D)$$

distance
modulus

10 pc

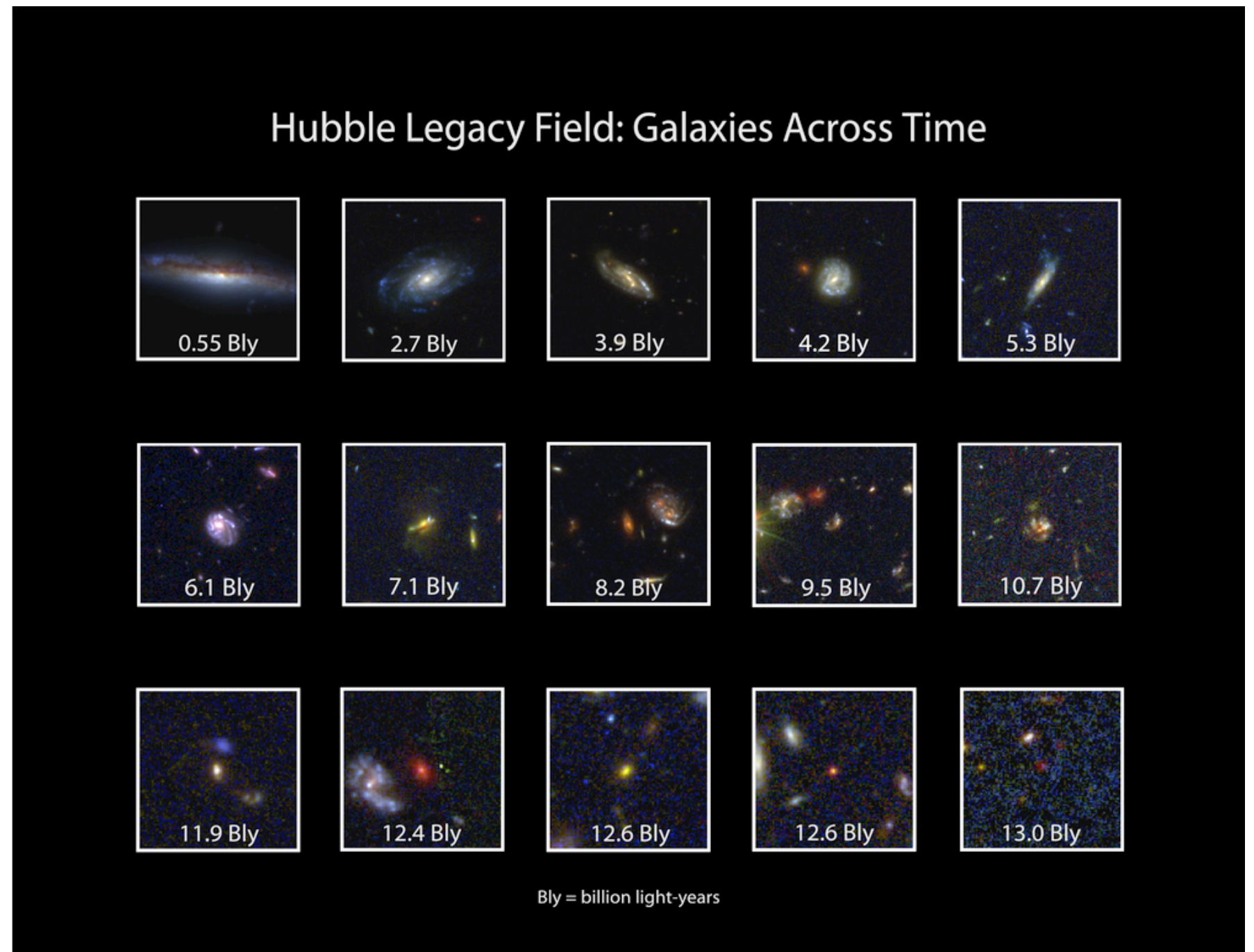
Nearby versus Far-away Galaxies

Study of nearby and far-away galaxies

The possibilities and techniques to study nearby and far-away galaxies are different, as the level of resolution is different



Galaxy at $z \sim 0$



Picture credit: NASA, ESA, Illingworth et al. (Hubble Legacy Field Team)