























Universe 13.7 Gyrs. after Big Barig: arge Variety and Wealth of Structure

The Early Universe:

Almost perfectly homogeneous and isotropic, without any discernable structure ...

How did the present wealth and variety of structure emerge out of an almost featureless, pristine early Universe ?????





 $\frac{\Delta T}{T} < 10^{-5}$



Cosmic Structure Formation

After decoupling, density perturbations in the matter distribution gradually develop into forming structures by means of the "gravitational instability" mechanism. The origin of these density perturbations is still an unsettled issue. Their presence, however, has been proven beyond doubt: their imprint in the CMB beautifully confirmed by COBE and WMAP.

Hidden in the depths of the very first instances of the early universe, at present the most viable suggestion is that it concerns quantum fluctuations blown up to macroscopic proportions in an inflationary phase of cosmic expansion.

In the later phases of more "quiescent" cosmic expansion, density fluctuations, frozen while they have the superhorizon scale assumed in inflation, gradually enter the horizon (i.e they are overtaken).

From that instant on they can start growing !

$$\delta({f x},t)\equiv rac{
ho({f x},t)\,-\,ar
ho(t)}{ar
ho(t)}$$

$$\delta(\mathbf{x}) \,=\, \int rac{\mathrm{d} \mathbf{k}}{(2\pi)^3} \, \hat{\delta}(\mathbf{k}) \, \mathrm{e}^{-\mathrm{i} \mathbf{k} \cdot \mathbf{x}}$$































Gravitational Instability

Perturbation Development:	
• Generation:	Inflationary Phase ?
	~ Gaussian Quantum Noise inflated to Cosmic Scale
• Superhorizon:	~ As long as perturbations superhorizon, no evolution
• Línear Growth:	~ Density & Velocity perturbations tiny
	Can be described analytically !
•Nonlínear Growth:	~ Interaction between fluctuations over range of scales
	~ Emergence complex patterns & formation objects
	~ Only analytical approximations,
	Computer (N-body) simulations necessary

















$$\begin{split} &\delta(\mathbf{x},t)\equiv\frac{\rho(\mathbf{x},t)-\bar{\rho}(t)}{\bar{\rho}(t)}\\ &\delta(\mathbf{x})=\int\frac{\mathrm{d}\mathbf{k}}{(2\pi)^3}\hat{\delta}(\mathbf{k})\,\mathrm{e}^{-\mathrm{i}\mathbf{k}\cdot\mathbf{x}}\\ &\cdot \text{ bations in the} \end{split}$$



$$Gaussian Perturbations$$

$$\mathcal{P}_{N} = \frac{\exp\left[-\frac{1}{2}\sum_{i=1}^{N}\sum_{j=1}^{N}f_{i}(\mathsf{M}^{-1})_{ij}f_{j}\right]}{[(2\pi)^{N}(\det\mathsf{M})]^{1/2}}\prod_{i=1}^{N}\mathrm{d}f_{i}$$

$$\Uparrow$$

$$M_{ij} \equiv \langle f(\mathbf{x}_{i})f(\mathbf{x}_{j})\rangle = \xi(\mathbf{x}_{i} - \mathbf{x}_{j}) = \xi(|\mathbf{x}_{i} - \mathbf{x}_{j}|)$$

Gaussian perturbations represent the simplest stochastic field of fluctuations imaginable. It is fully and completely characterized by its second-order moment, the autocorrelation function $\hat{\xi}(r)$. In fact, by concentrating on the contributions of the various scales and describing the field in terms of its Fourier components, we directly see that the FUNDAMENTAL function fully characterizing the Gaussian field Power Spectrum P(k) $(2\pi)^3 P(k_1) \, \delta_{\mathrm{D}}(\mathbf{k}_1 - \mathbf{k}_2) = \langle \hat{f}(\mathbf{k}_1) \hat{f}^*(\mathbf{k}_2)
angle$

Arguably, the power spectrum is the single most important function for our understanding of the cosmic structure formation process.



























Primordial Conditions:

- ~ temperature fluctuations in microwave background radiation
- ~ polarization Cosmic Microwave Background
- treasure trove cosmological information

Dynamics:

- ~ cosmic velocity flows
- very difficult in practice, due to large uncertainties in distance estimate/measurements of galaxies, and hence the estimated deviations from Hubble expansion.

Mass Distribution:

~ gravitational lensing of light by cosmic matter distribution ~ very promising, just started to yield significant results ...

• (Jalaxy Distribution: - galaxies supposed to be a fair reflection of underlying cosmic matter distribution
	 most detailed and investigated impression of cosmic matter distribution nonlinear scales: tracing the Cosmic Web Megaparsec linear scales: measuring the Power Spectrum Gigaparsec linear scales: Baryonic Oscillations Primordial Power Spectrum High redshift galaxies: tracing young Universe, early stages galaxy formation
	<u>But:</u> formation and evolution of galaxies still a notoriously ununderstood problem, so that the relation between matter and galaxy distribution is as yet not unequivocally clear.
• (Duasars & AGN - tracing the large scale matter distribution on scales of hundreds Mpc - but: largely unknown how they relate to the matter/galaxy distribution












































Over the past two decades we have witnessed a paradigm shift in our perception of the Megaparsec scale structure in the Universe. As increasing elaborate galaxy redshift surveys charted ever larger regions in the nearby Universe, an intriguingly complex and salient foamlike network came to unfold and establish itself as the quintessential characteristic of the cosmic matter and galaxy distribution.

In a great many physical systems, the spatial organization of matter is one of the most readily observable manifestations of the forces and processes forming and moulding them. Richly structured morphologies are usually the consequence of the complex and nonlinear collective action of basic physical processes.

The vast Megaparsec cosmic web is undoubtedly one of the most striking examples of complex geometric patterns found in nature. In its own right, the vast dimensions and intricate composition of the cosmic foam make it one of the most imposing and intriguing patterns existing in the Universe. Its wide-ranging Importance stems from its status as a cosmic fossil. On a scale of tens up to a few hundred Megaparsecs It is still relatively straightforward to relate the configuration at the present cosmic epoch to that of the primordial matter distribution from which it emerged. With the cosmic foam seemingly representing this phase, it assumes a fundamental role in the quest for understanding the origin of all structures in the Universe.

While its complex cellular morphology involves one of the most outstanding and evident aspects of the Cosmic foam, it has also remained one defying simple definitions which may be the cause of it having Remained one of the least addressed aspects. The geometry of the cosmic foam may be described as a nontrivial stochastic assembly of various anisotropic and asymmetric elements. A major deficiency in the vast majority of studies on the large scale distribution of galaxies has been the lack of suitable quantitative and statistical characterizations of the truly fundamental aspects of the cossic foam geometry.



Clusters of Galaxies

- Assemblies of up to 1000s of galaxies within a radius of only 1.5-2h⁻¹ Mpc,
- Representing overdensities of $\delta \sim 1000$
- Galaxy move around with velocities ~ 1000 km/s
- They are the most massive, and most recently,

fully collapsed structures in our Universe.

Baryonic matter in clusters is not only confined to galaxies. On the contrary, about 2 to 5 times more baryonic mass is in the form of a diffuse hot X-ray emitting intracluster gas, trapped and heated to a temperature of the order of 10^8 K by the gravitational potential of the cluster. At such high temperatures, this gas is a fully ionized plasma, producing powerful X-ray emission, bremsstrahlung radiation induced by the electron-ion interactions.

ROSAT X-ray image Coma Cluster

The Cosmic Web	
The spatial cluster distribution and relation to Cosmic Web.	
The green circles mark the positions of REFLEX X-ray clusters in the northern and southern slices of the Las Campanas redshift survey (LCRS, Shectman et al. 1996), out to a maximum distance of 600h ⁻¹ Mpc. Underlying, in blue, the galaxies in the LCRS delineate a foamlike distribution of filaments, walls and voids.	
REFLEX: Boehrínger et al. (2001) Courtesy: Borganí & Guzzo (2001)	89
Nodes:	Clusters

The Cosmic Web Voids

Voids in Space	
	Voids in the 6dF redshift survey,
	Detected by A. Fairall



he Bootes Void. ealed by the galaxy nu nberso quence of different recession velocity in tes constellation of The lowest control of the presents a density in that to 0.7 or the cosmic mean, each nigher contour represents a factor 2 increase in density. Velocity ranges (km/s): (a) 7,000-12,000 (b) 12,000-17,00 (c) 17,000-23,000 (d) 23,000-29,0 29,000-3 Frame (b) clearly reveals a arge ve which turns out to be roughly some xu distribution, 観観 From: Kirshner et al. (198

























$$\mathbf{V} = \frac{H f}{4\pi G \rho_u} \mathbf{g} = \frac{2 f}{3H\Omega} \mathbf{g}$$
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$$\mathbf{v} = \frac{H f}{4\pi} \frac{f(\Omega_m)}{b} a \int d\mathbf{x}' \, \delta_{gal}(\mathbf{x}', t) \, \frac{(\mathbf{x}' - \mathbf{x})}{|\mathbf{x}' - \mathbf{x}|^3}$$
(158)















Gravitational Lensing

- A highly promising method to determine the amount and distribution of matter in the Universe does not concentrate on the way in which Dark Matter affects
- the motions of galaxies and the intracluster gas,

but instead looks at the way it affects

- the trajectories of photons.
- According to Einstein's theory of general relativity, gravitational potential wells will bend and focus light. Dark matter concentrations will therefore act

Gravitational Lens



A1689, HST, Broadhurst et al.



































the Web: Shear Distortions & Lensing



First genuine map Large Scale Cosmic Dark Matter distribution

by means of weak lensing:

Clearly visible is the filamentary Weblike nature of the mass Distribution.

Massey et al. 2007