

Cosmic Flows

Lecture course
University Groningen
Feb. 2007-April 2007

Gravitational Instability

$$\frac{\partial \delta}{\partial t} + \frac{1}{a} \nabla \cdot (1 + \delta) \mathbf{v} = 0$$

$$\frac{\partial \mathbf{v}}{\partial t} + \frac{\dot{a}}{a} \mathbf{v} + \frac{1}{a} (\mathbf{v} \cdot \nabla) \mathbf{v} = -\frac{1}{a} \nabla \phi$$

$$\nabla^2 \phi = 4\pi G \bar{\rho} a^2 \delta(\mathbf{x}, t)$$

Gravitational Instability

$$\frac{\partial \delta}{\partial t} + \frac{1}{a} \nabla \cdot \mathbf{v} = 0$$

$$\frac{\partial \mathbf{v}}{\partial t} + \frac{\dot{a}}{a} \mathbf{v} = -\frac{1}{a} \nabla \phi$$

$$\nabla^2 \phi = \frac{3}{2} \Omega H^2 a^2 \delta(\mathbf{x}, t)$$

Gravitational Instability

The linear system of structure growth equations can be written in terms of a second order differential equation,

$$\frac{\partial^2 \delta}{\partial t^2} + 2\frac{\dot{a}}{a} \frac{\partial \delta}{\partial t} = \frac{3}{2} \Omega_0 H_0^2 \frac{1}{a^3} \delta$$

Gravitational Instability

... whose two solutions are separable in time and space,
leading to a universal “density growth factor” $D(t)$,

$$\delta(\mathbf{x}, t) = D_1(t) \Delta_1(\mathbf{x}) + D_2(t) \Delta_2(\mathbf{x})$$

“Growing Mode”

“Decaying Mode”

Linear Density Growth

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“Growing Mode”

“Decaying Mode”

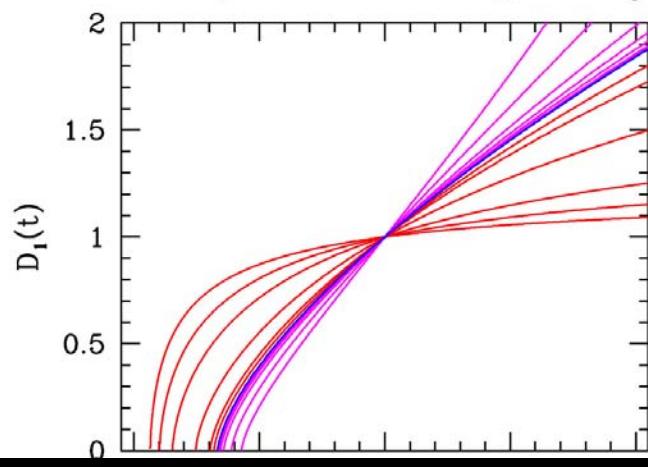
Linear Density Growth

... The universal “density growth factor” $D(t)$ can be computed for any cosmology through the integral

$$D(t) \approx H(t) \int \frac{dt}{a^2 H^2(t)}$$

Linear Density Growth

Linear Perturbation Evolution:
Density evolution: Growing Mode D_1



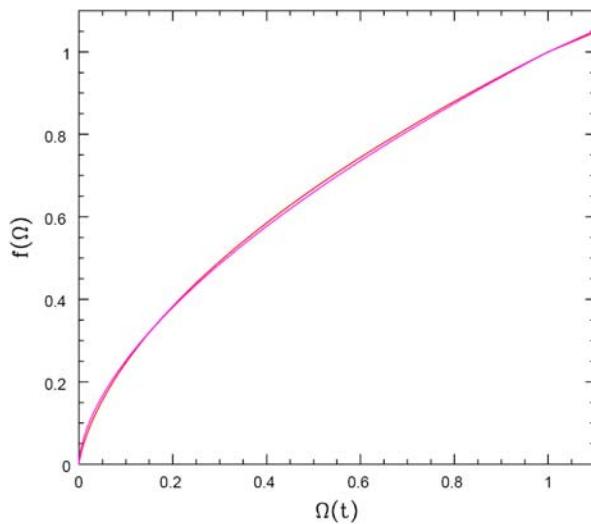
Gravitational Instability

GRAVITY PERTURBATIONS

$$\mathbf{g}(\mathbf{r}, t) = -\frac{1}{a} \nabla \phi = \frac{3\Omega H^2}{8\pi} \int d\mathbf{x}' \delta(\mathbf{x}', t) \frac{(\mathbf{x}' - \mathbf{x})}{|\mathbf{x}' - \mathbf{x}|^3}$$

Velocity Perturbations

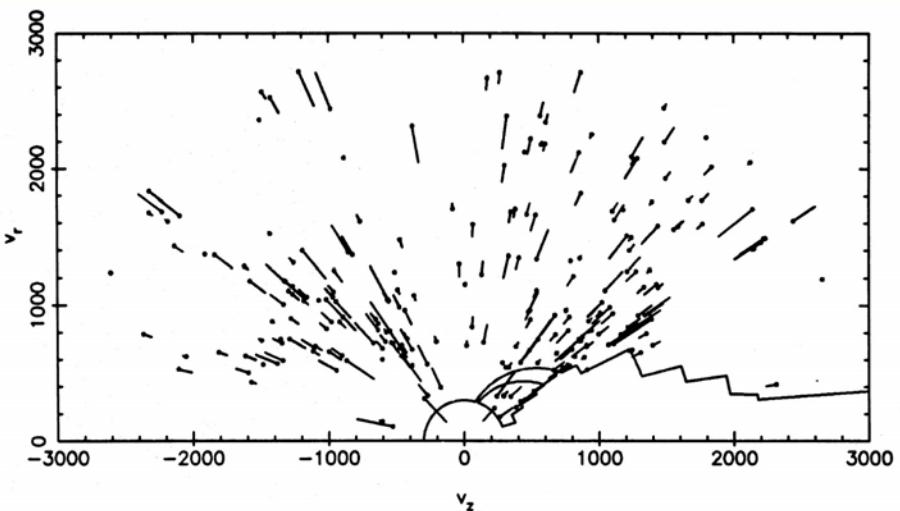
Linear Velocity Perturbation Evolution: $f(\Omega)$

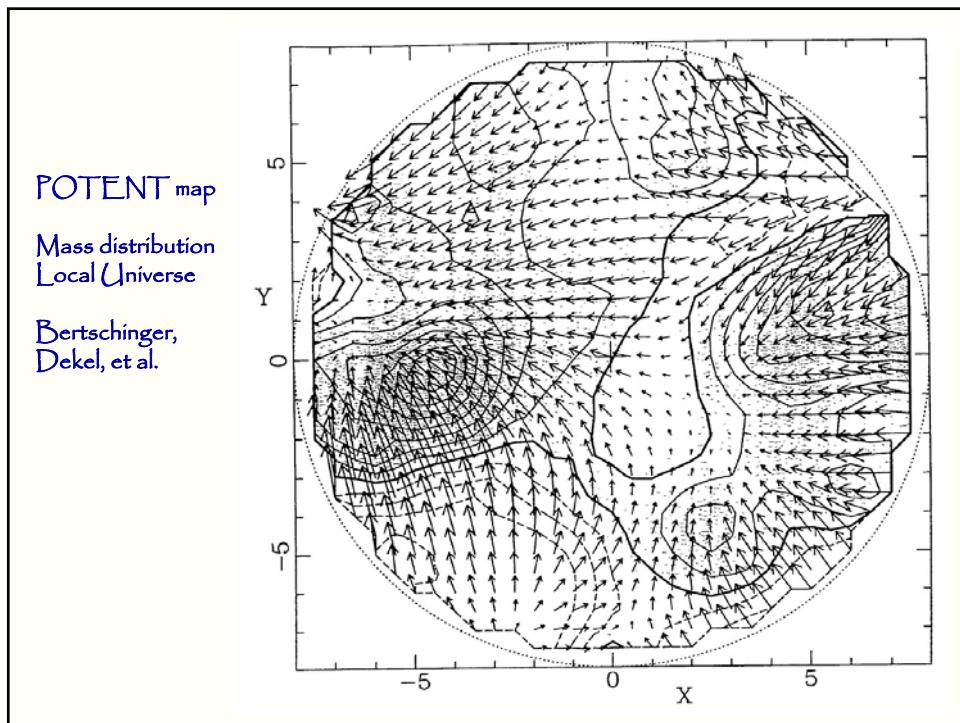
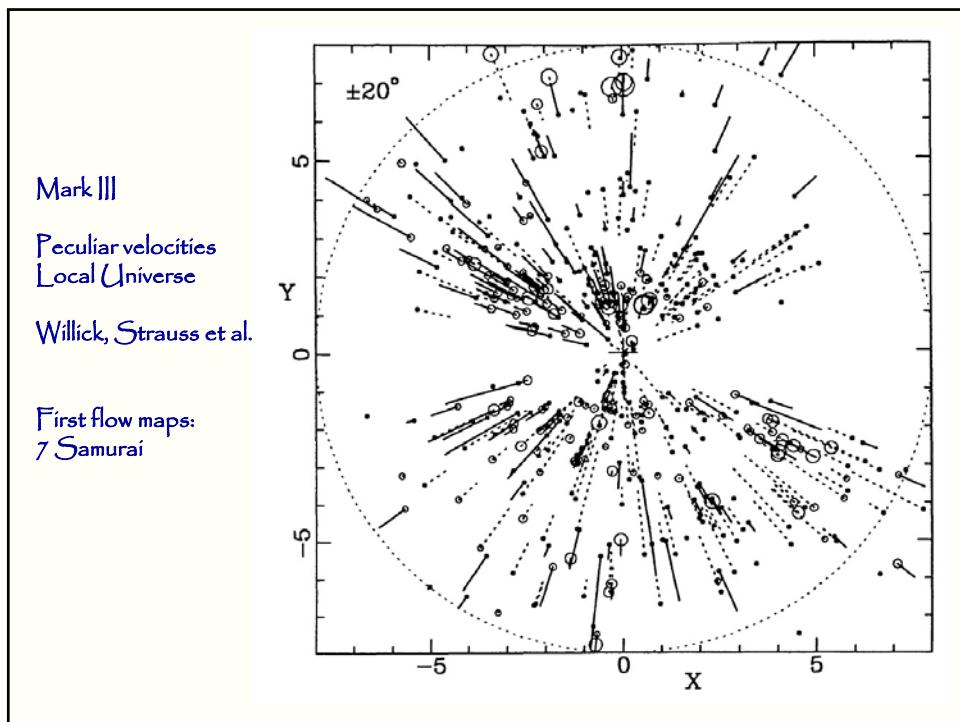


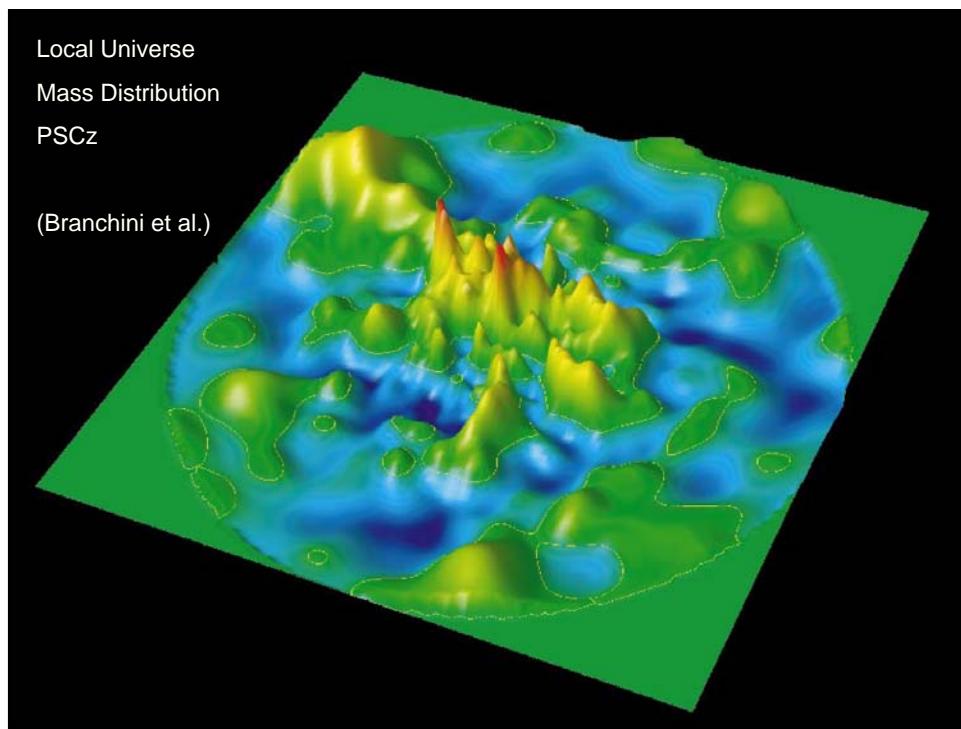
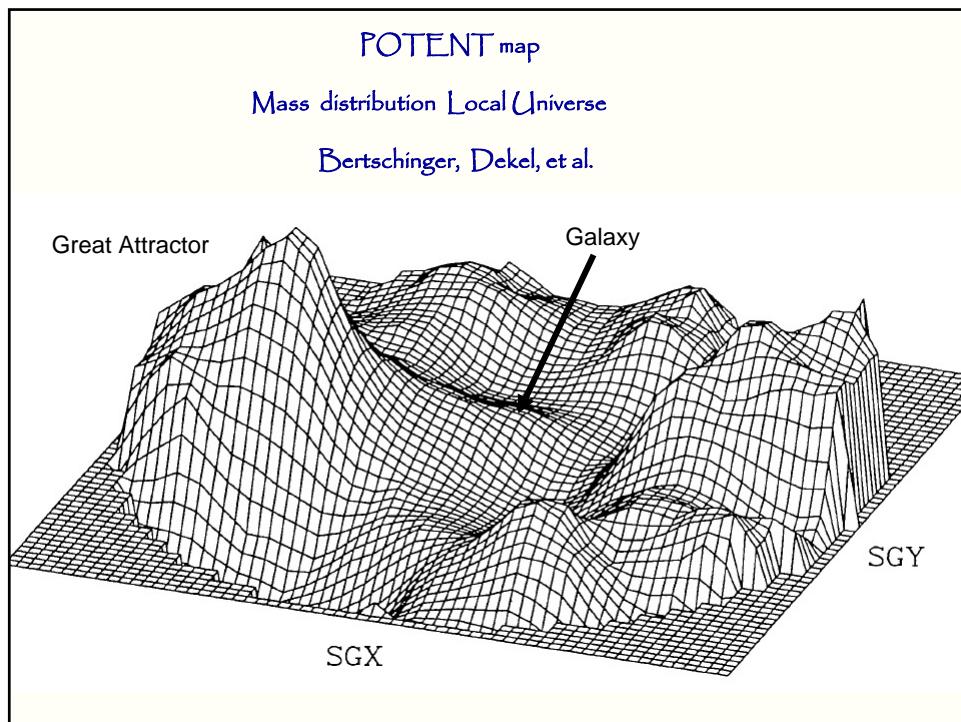
Local Universe Peculiar Velocities

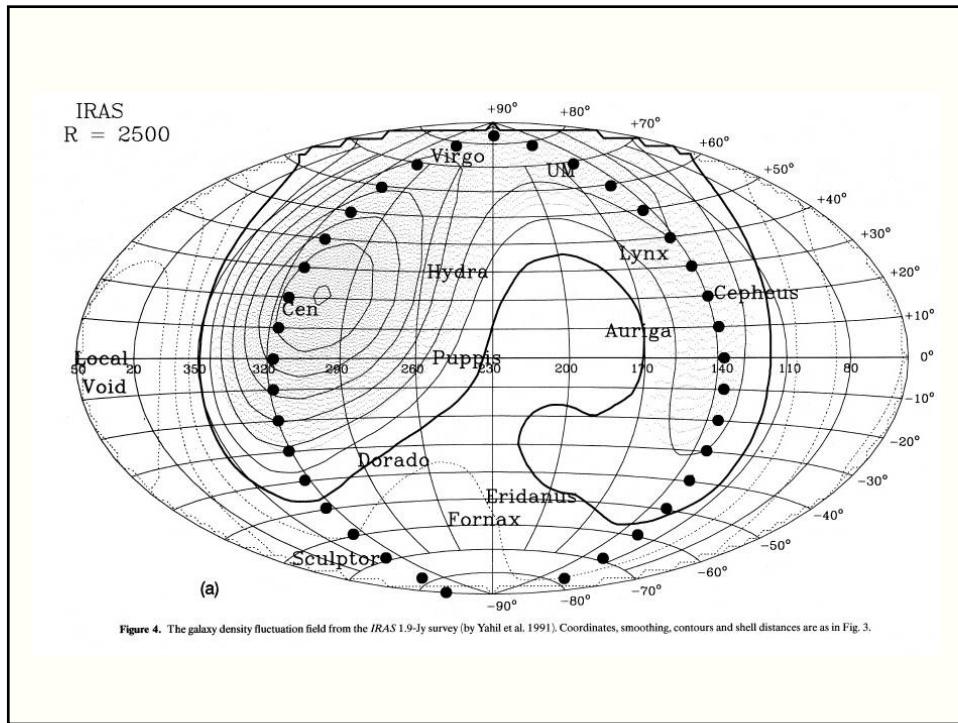
Local Supercluster flow

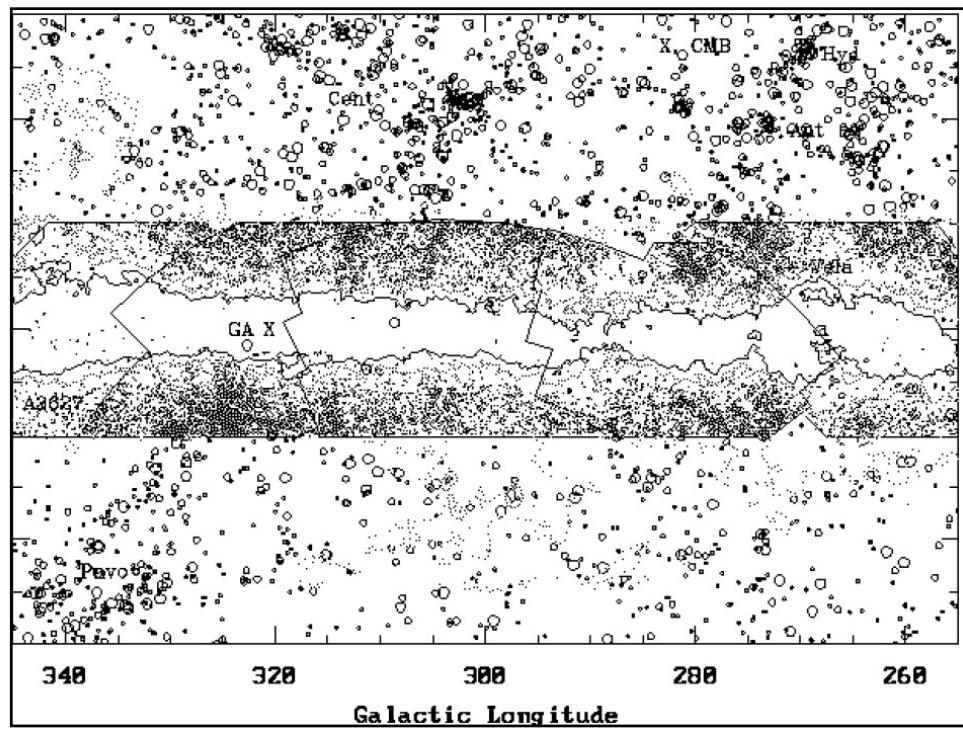
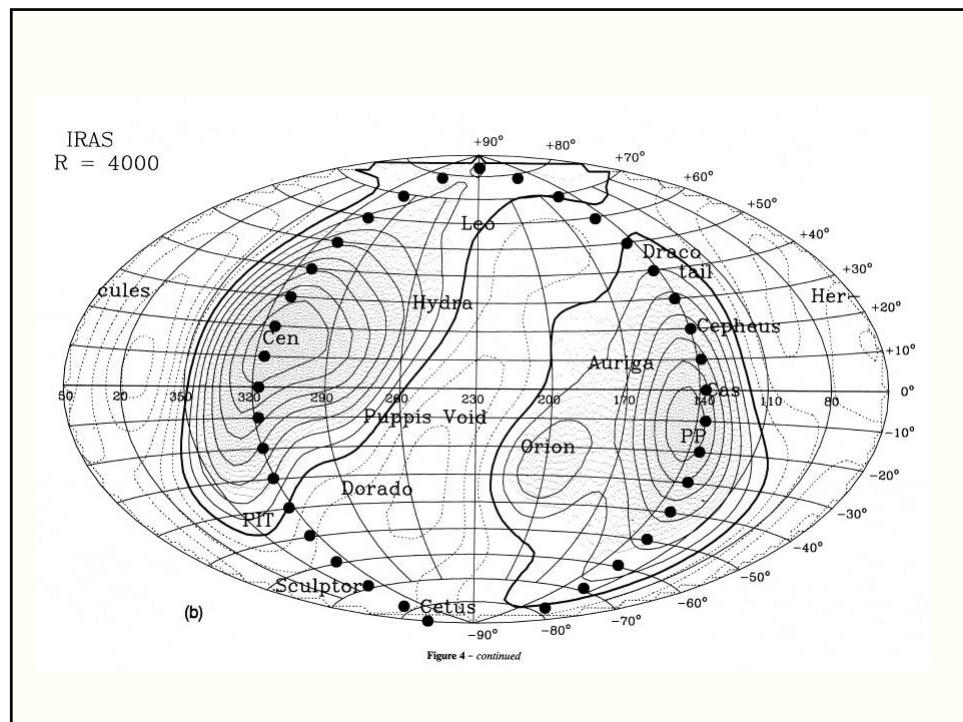
Lilje, Yahil & Jones 1986

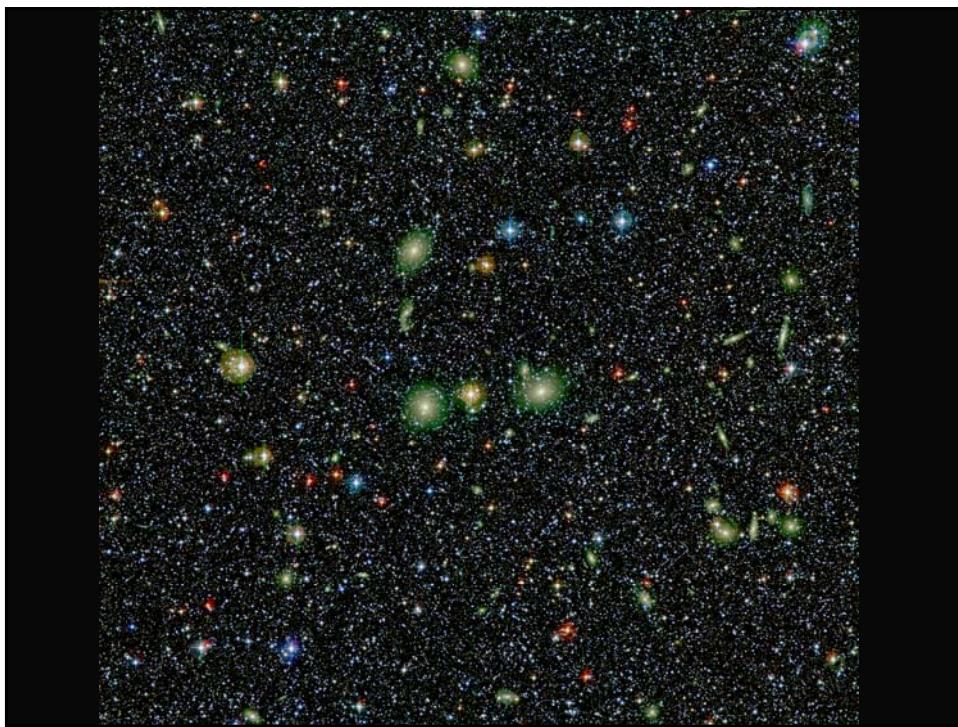
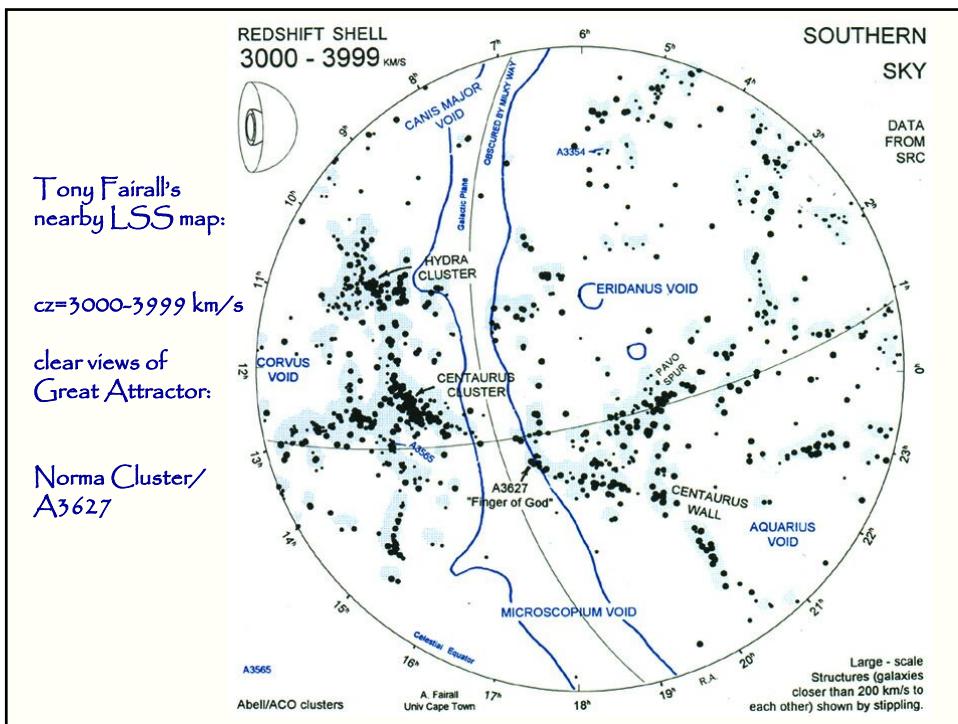












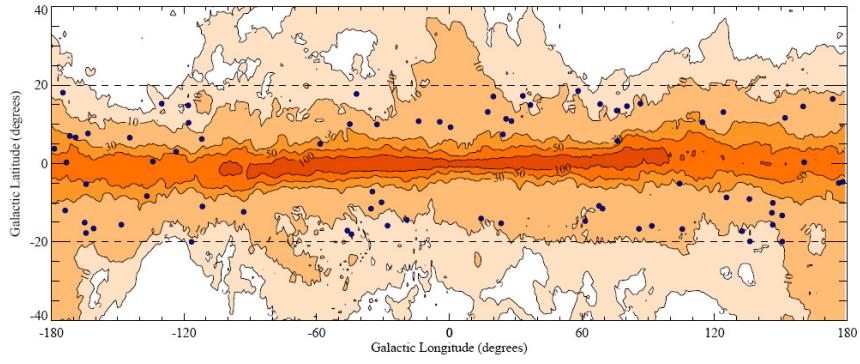


Fig. 16. Distribution in Galactic coordinates of the 76 by Ebeling et al. [129] so far spectroscopically confirmed X-ray clusters (solid dots) of which 80% were previously unknown. Superimposed are Galactic HI column densities in units of 10^{20} cm^{-2} (Dickey & Lockman 1990). Note that the region of relatively high absorption ($N_{\text{HI}} > 5 \times 10^{21} \text{ cm}^{-2}$) actually is very narrow and that clusters could be identified to very low latitudes

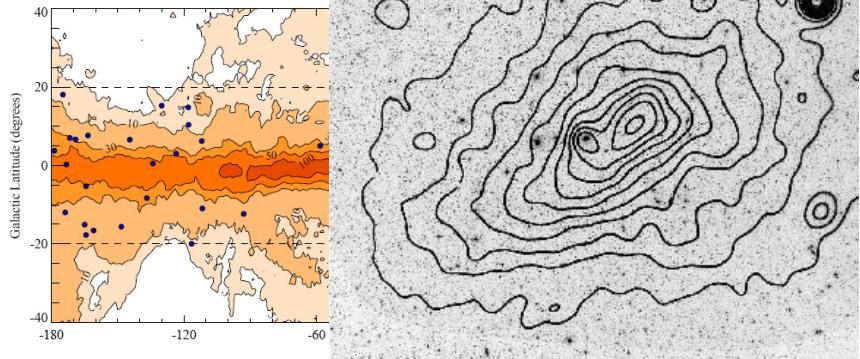
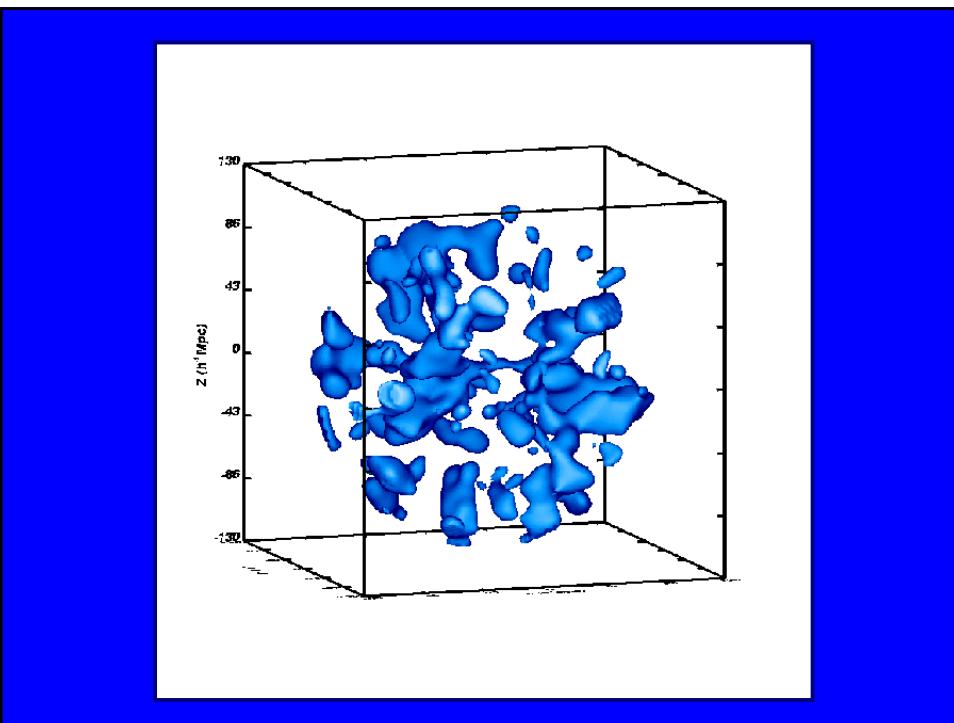
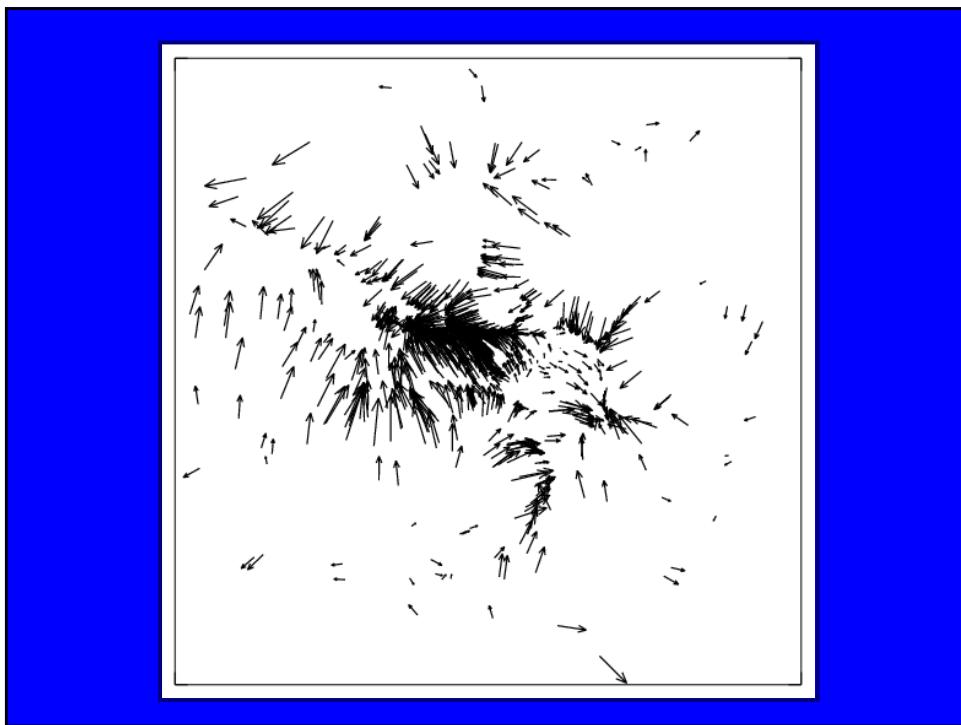
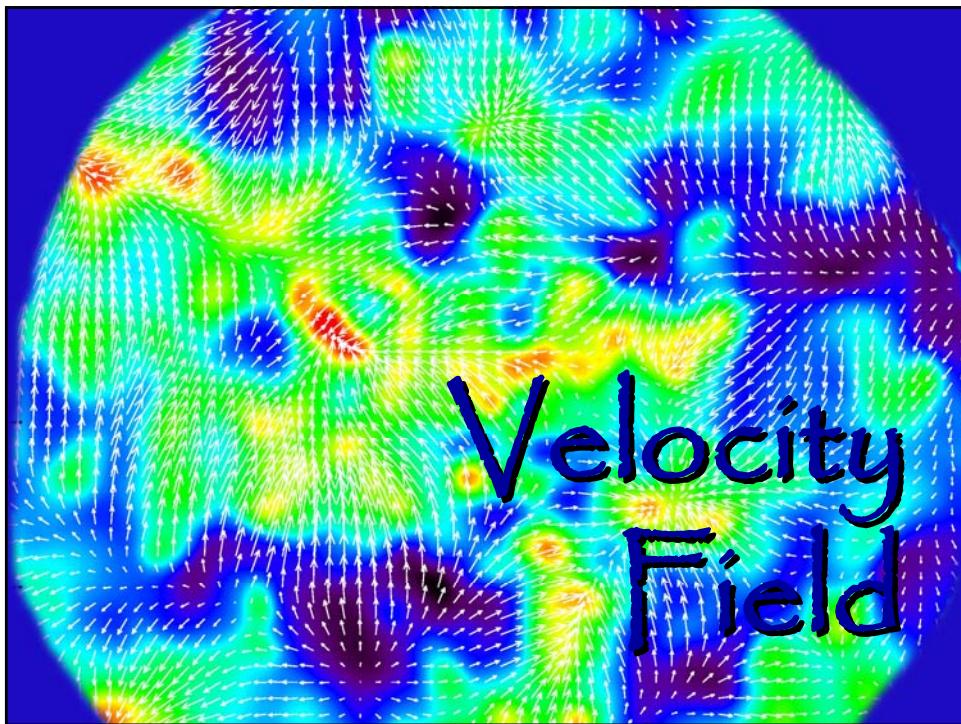
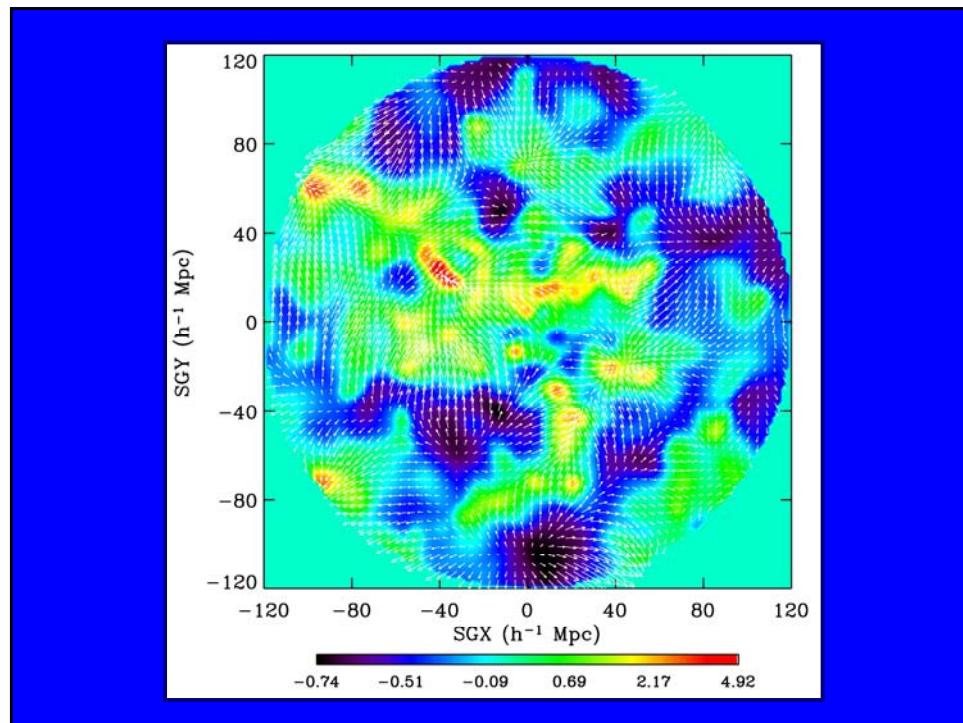
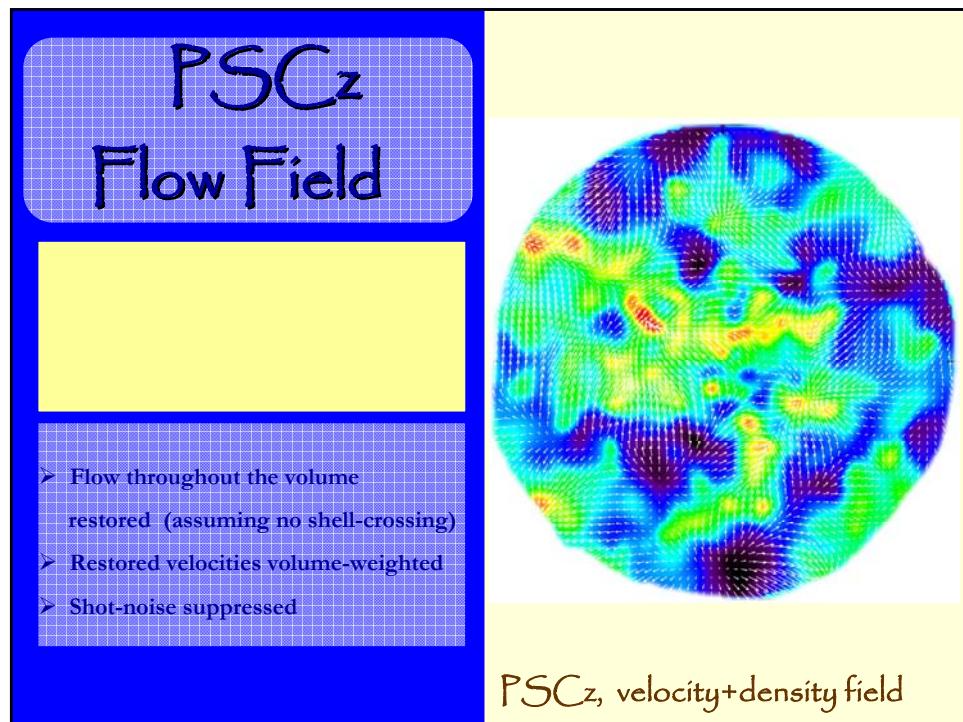
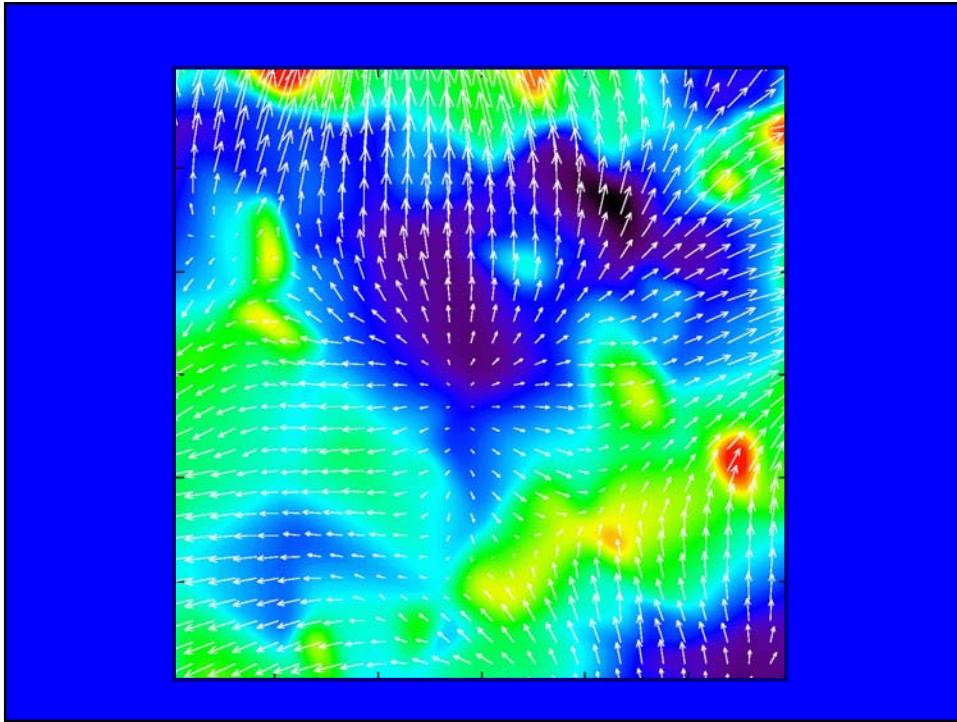
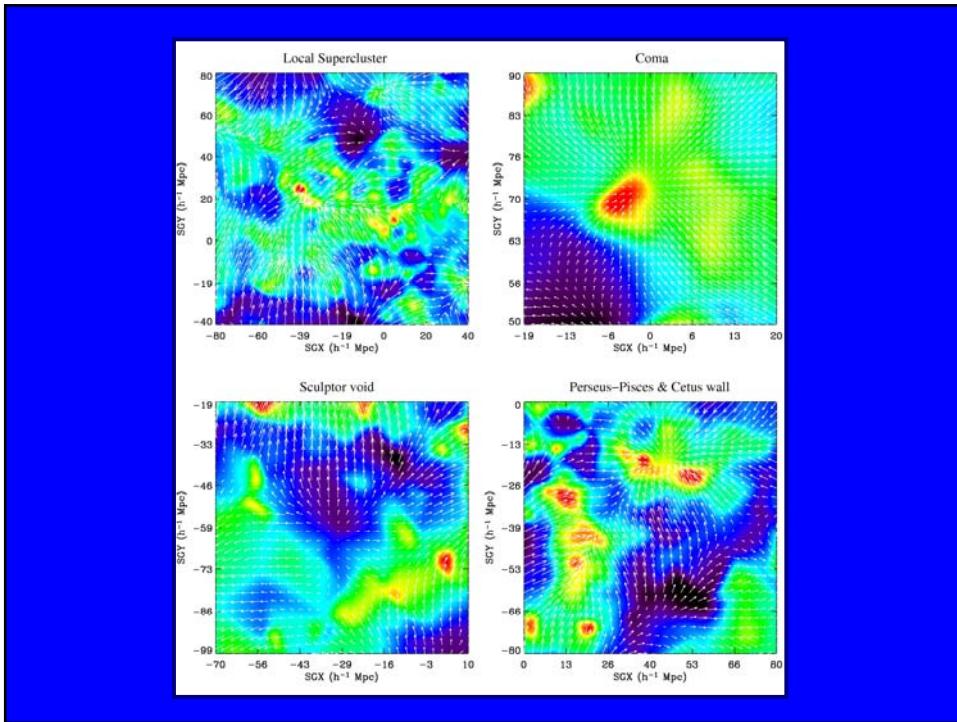


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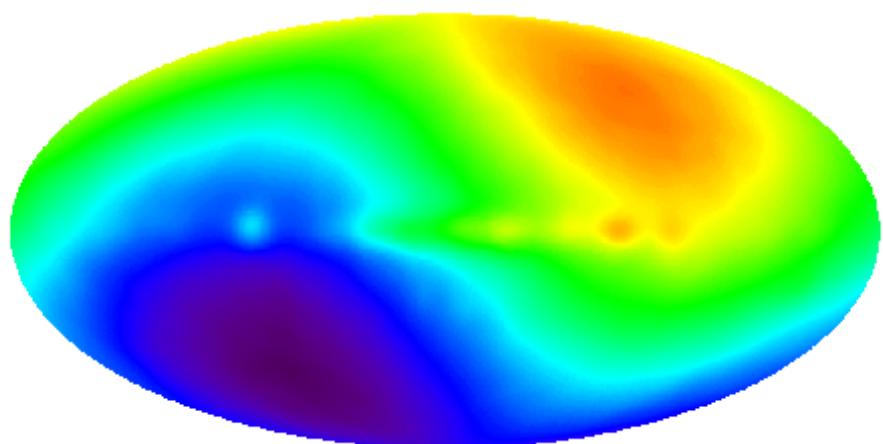


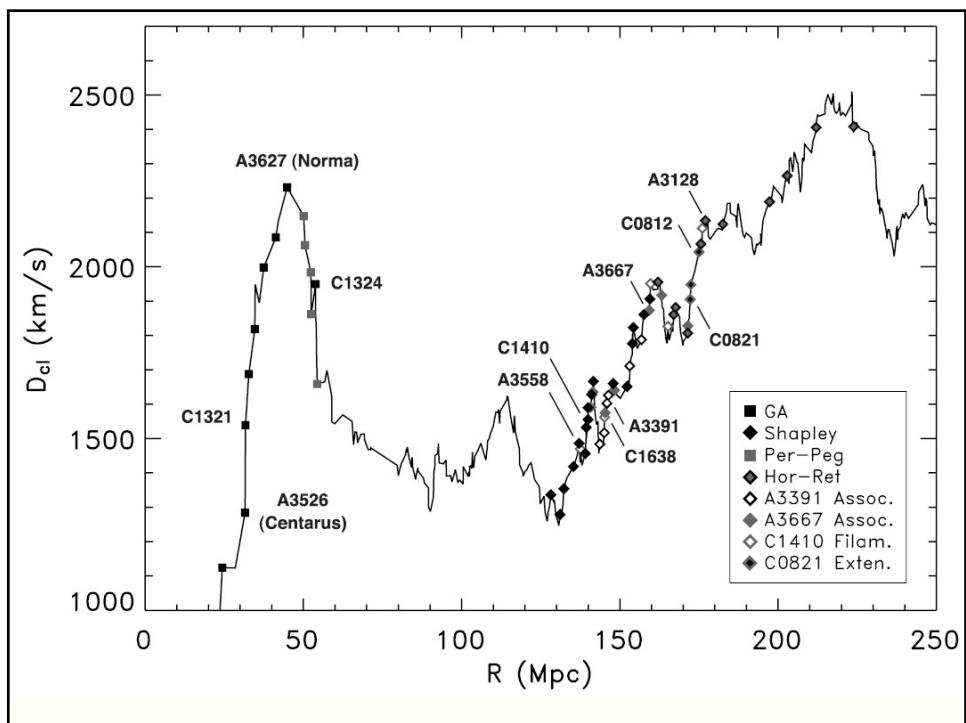
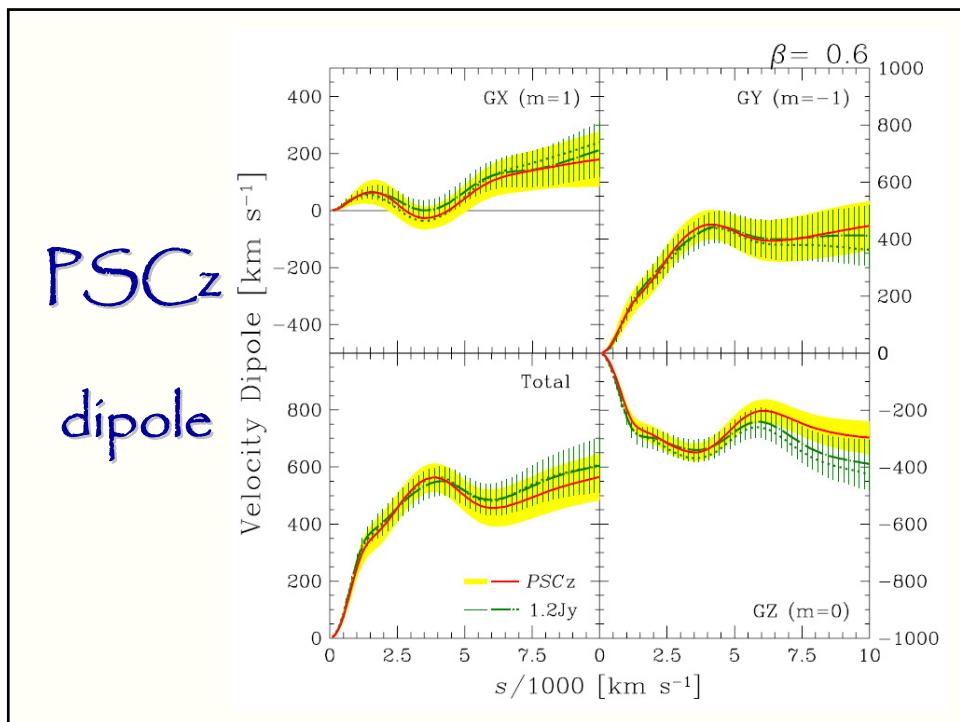




Cosmic Dipoles

The CMB Dipole



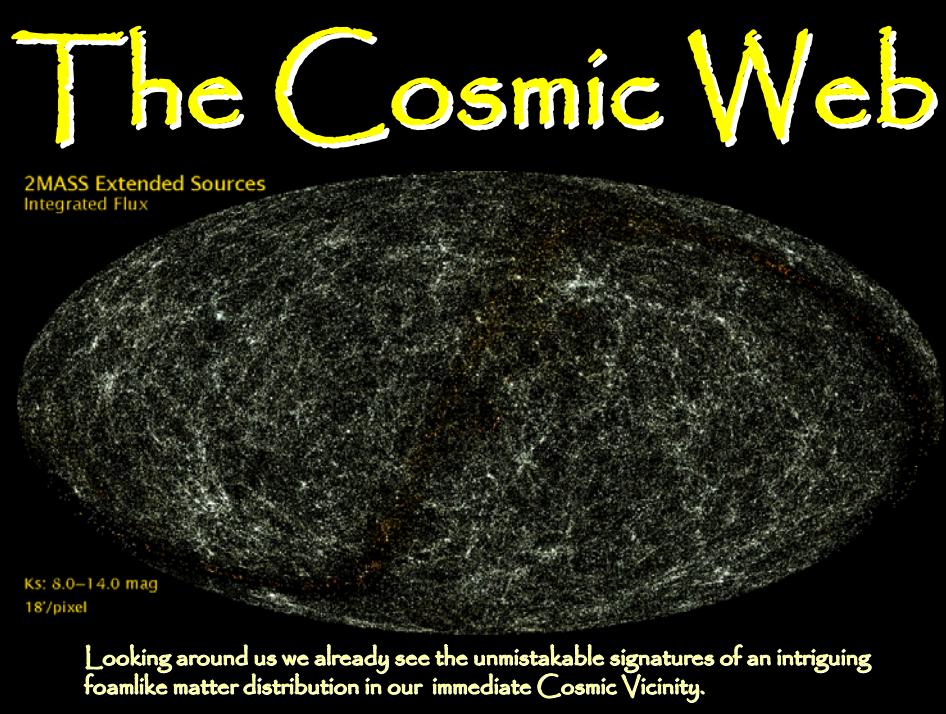


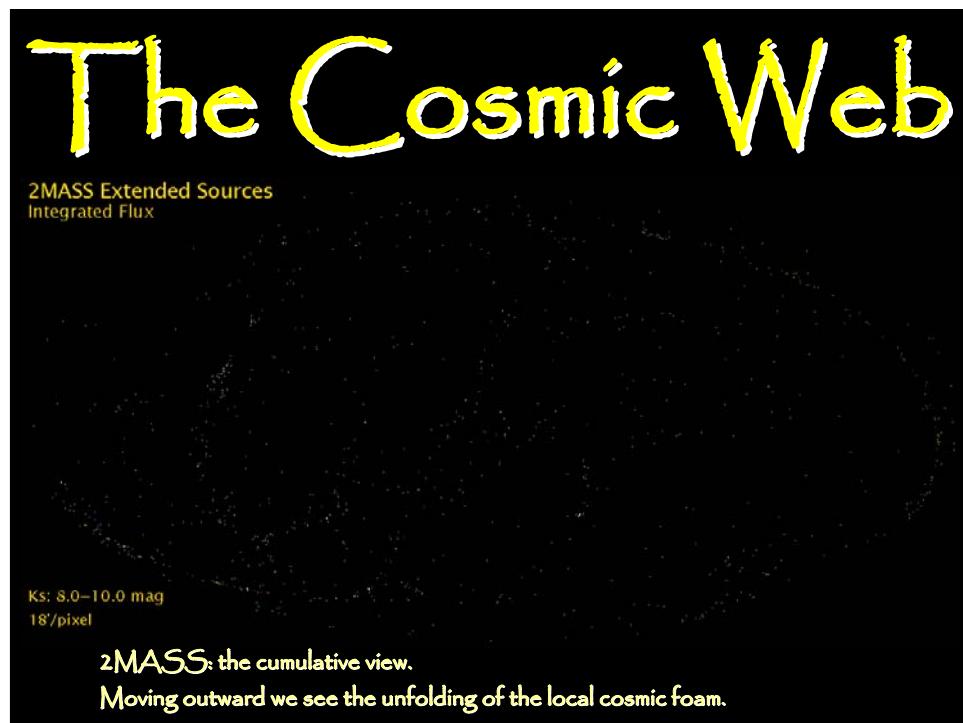
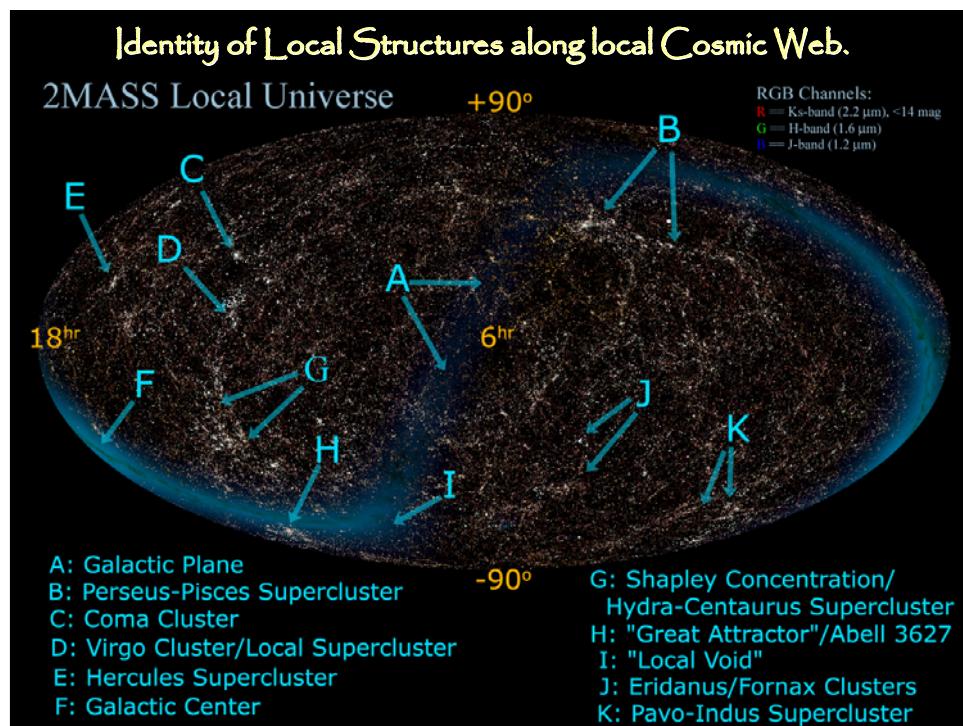
2MASS survey

- 2MASS all-sky survey:
ground-based near-infrared survey whole sky,
 $J(1.2 \mu\text{m})$, $H(1.6 \mu\text{m})$, $K(2.2 \mu\text{m})$
- 2MASS extended source catalog (XSC):
1.5 million galaxies
- unbiased sample nearby galaxies
- photometric redshifts: depth in 2MASS maps,
“cosmic web” of (nearby) superclusters spanning
the entire sky.

courtesy:

T. Jarrett





Identity of Local Structures along local Cosmic Web.

